



Karl J. Slifer
University of Virginia

New Trends in High-Energy Physics
Yalta, Crimea, Ukraine
Sept. 17, 2007

Outline

1) Brief Spin Physics Backgrounder

2) Recent Experimental Results

Low Q^2 GDH Sum Rule, ChPT

EG4 : Hall B

E97-110 : Hall A

Medium Q^2 Spin Duality and Extended GDH

E01-012: Hall A

E94-010: Hall A, GDH

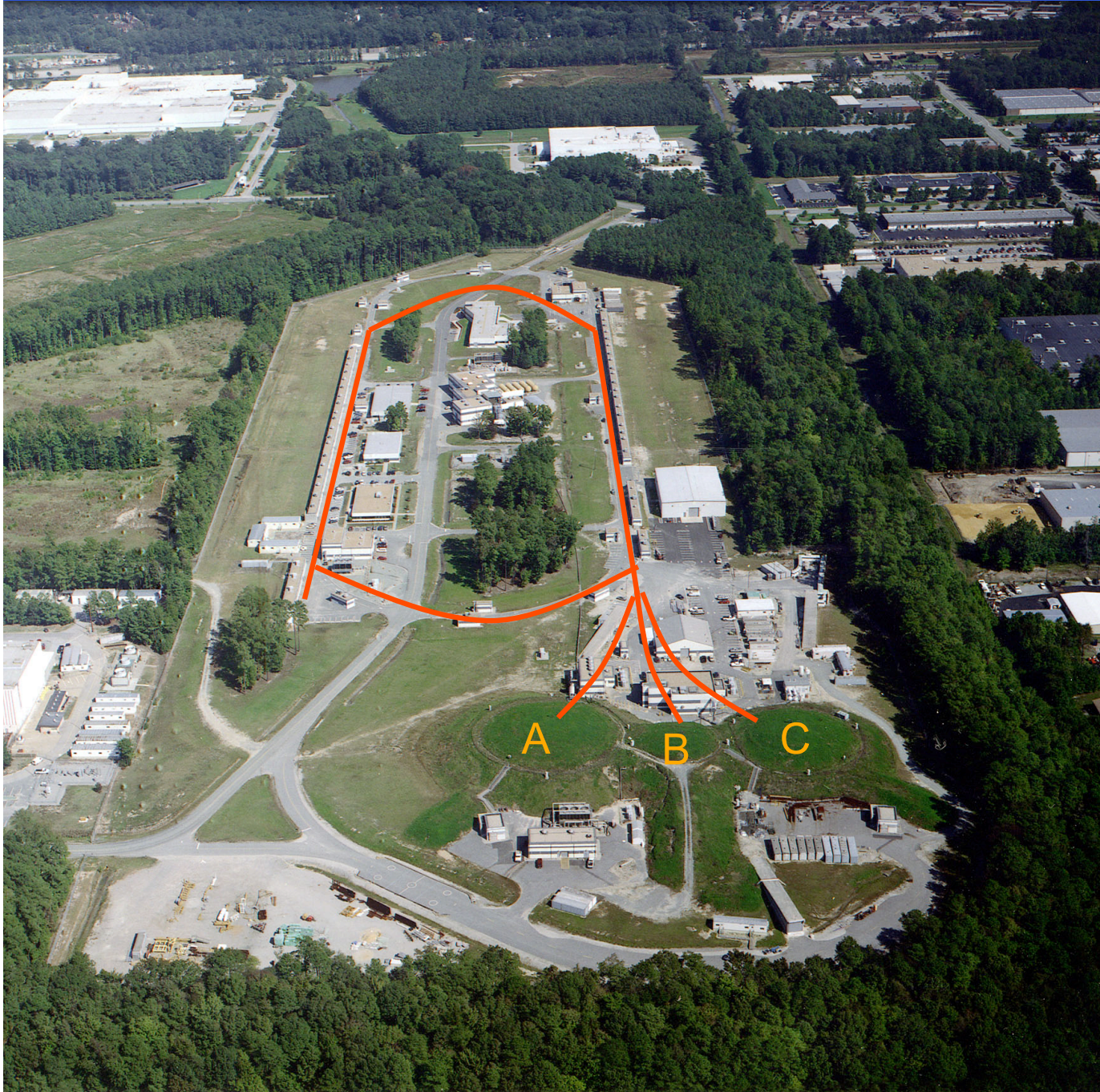
Large Q^2 d_2 , Sum rules.

RSS : Hall C

SANE : Hall C

3) Summary

JLAB in Newport News, VA



CW Linear Accelerator

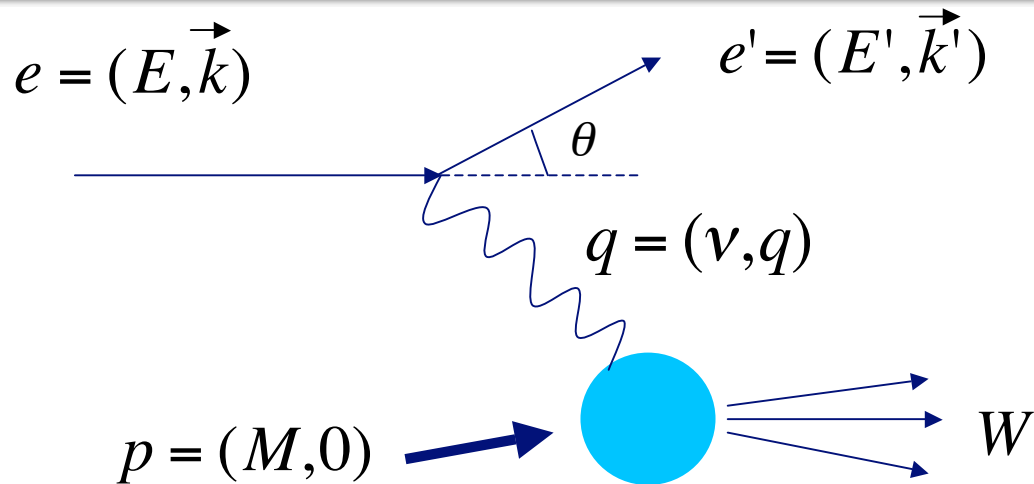
3 Fixed target Exp. Halls

Polarization $\sim 80\%$

$E_0 \leq 5.8$ GeV (5pass)

12 GeV Upgrade in 2011

Inclusive Electron Scattering



4-momentum transfer squared

$$Q^2 = -q^2 = 4EE' \sin^2 \frac{\theta}{2}$$

Invariant mass squared

$$W^2 = M^2 + 2M\nu - Q^2$$

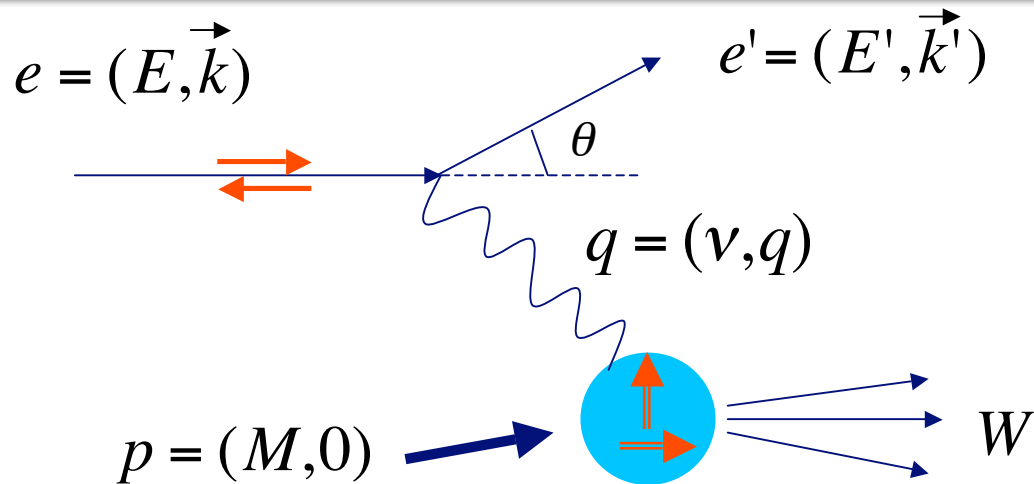
Bjorken variable

$$x = \frac{Q^2}{2M\nu}$$

Unpolarized case

$$\frac{d^2\sigma}{d\Omega dE'} = \sigma_{Mott} \left[\frac{1}{\nu} F_2(x, Q^2) + \frac{2}{M} F_1(x, Q^2) \tan^2 \frac{\theta}{2} \right]$$

Inclusive Electron Scattering



4-momentum transfer squared

$$Q^2 = -q^2 = 4EE' \sin^2 \frac{\theta}{2}$$

Invariant mass squared

$$W^2 = M^2 + 2M\nu - Q^2$$

Bjorken variable

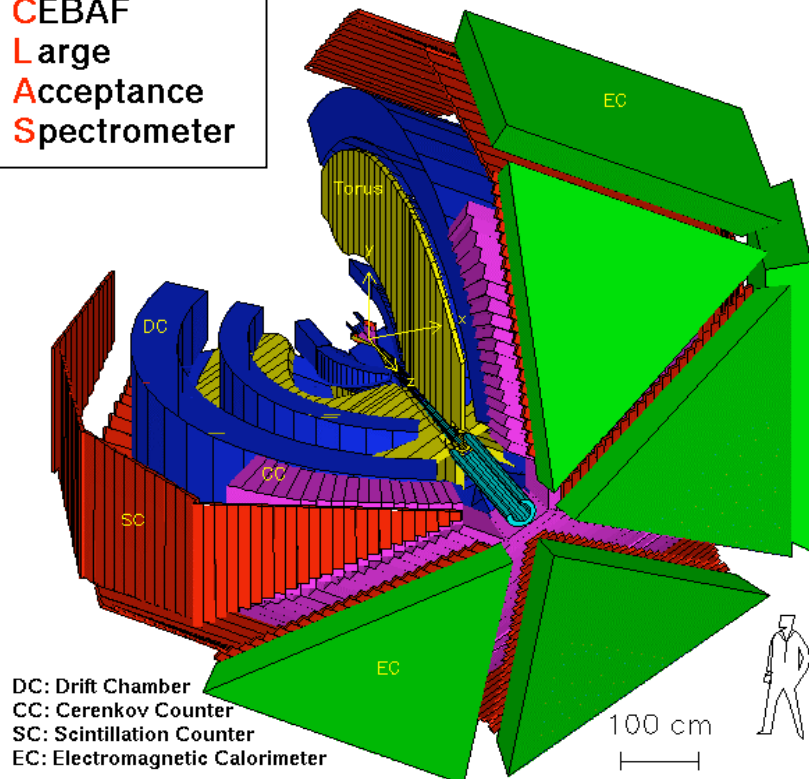
$$x = \frac{Q^2}{2M\nu}$$

Unpolarized case $\left\{ \frac{d^2\sigma}{d\Omega dE'} = \sigma_{Mott} \left[\frac{1}{\nu} F_2(x, Q^2) + \frac{2}{M} F_1(x, Q^2) \tan^2 \frac{\theta}{2} \right] \right.$

Polarized case $\left\{ \begin{aligned} \frac{d^2\sigma^{\uparrow\uparrow}}{d\Omega dE'} - \frac{d^2\sigma^{\downarrow\uparrow}}{d\Omega dE'} &= \frac{4\alpha^2 E'}{\nu EQ^2} \left[(E + E' \cos \theta) g_1(x, Q^2) - 2Mx g_2(x, Q^2) \right] \\ \frac{d^2\sigma^{\uparrow\Rightarrow}}{d\Omega dE'} - \frac{d^2\sigma^{\downarrow\Rightarrow}}{d\Omega dE'} &= \frac{4\alpha^2 E'}{\nu EQ^2} \sin \theta \left[g_1(x, Q^2) + \frac{2ME}{\nu} g_2(x, Q^2) \right] \end{aligned} \right.$

EG4

CEBAF
Large
Acceptance
Spectrometer



Ran in 2006

Measurement of g_1 at low Q^2

Test of ChPT as $Q^2 \rightarrow 0$

Measured Absolute XS differences

Goal : Extended GDH Sum Rule

Proton

Deuteron

Spokespersons

NH₃: M. Battaglieri, A. Deur, R. De Vita, M. Ripani (Contact)

ND₃: A. Deur(Contact), G. Dodge, K. Slifer

PhD. Students

K. Adhikari, H. Kang, K. Kovacs

EG4

EG4: The GDH Sum Rule with Nearly Real Photons

$Q^2 = 0$

$$I(Q^2 = 0) = \frac{M^2}{8\alpha\pi^2} \int_{\nu_0}^{\infty} (\sigma_{1/2} - \sigma_{3/2}) \frac{d\nu}{\nu} = -\frac{1}{4} \kappa^2$$

Finite Q^2

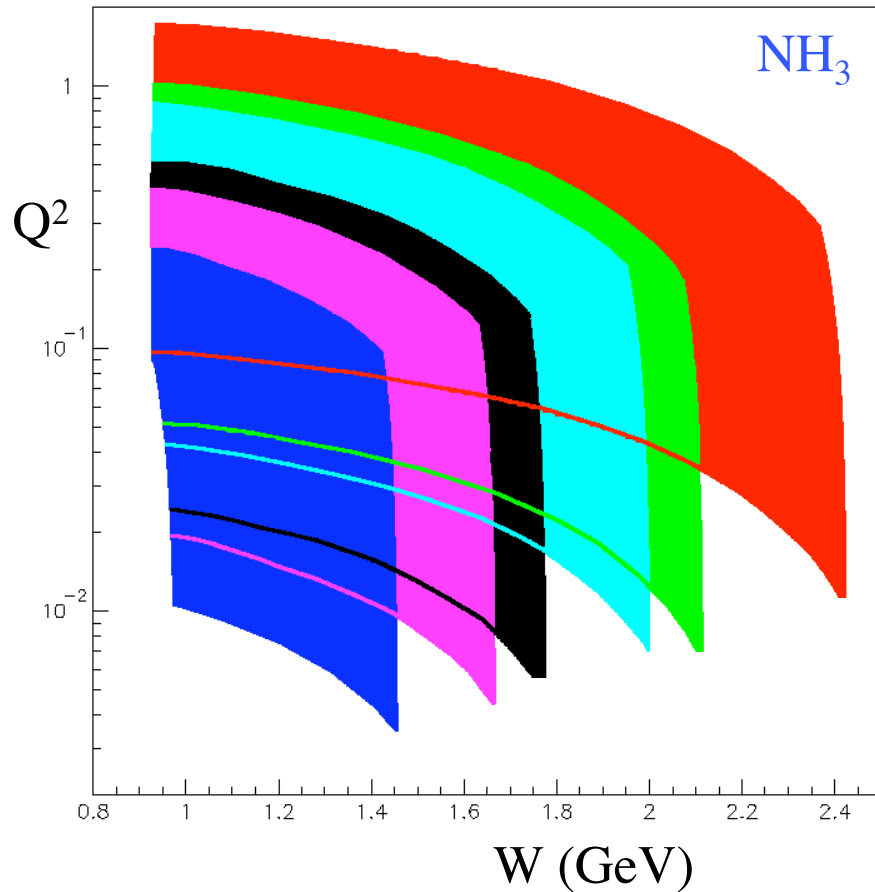
$$\Gamma_1(Q^2) = \int g_1(x, Q^2) dx \xrightarrow{Q^2 \rightarrow 0} \left(\frac{Q^2}{2M^2} \right) I(Q^2)$$

Method : Absolute cross section measurement

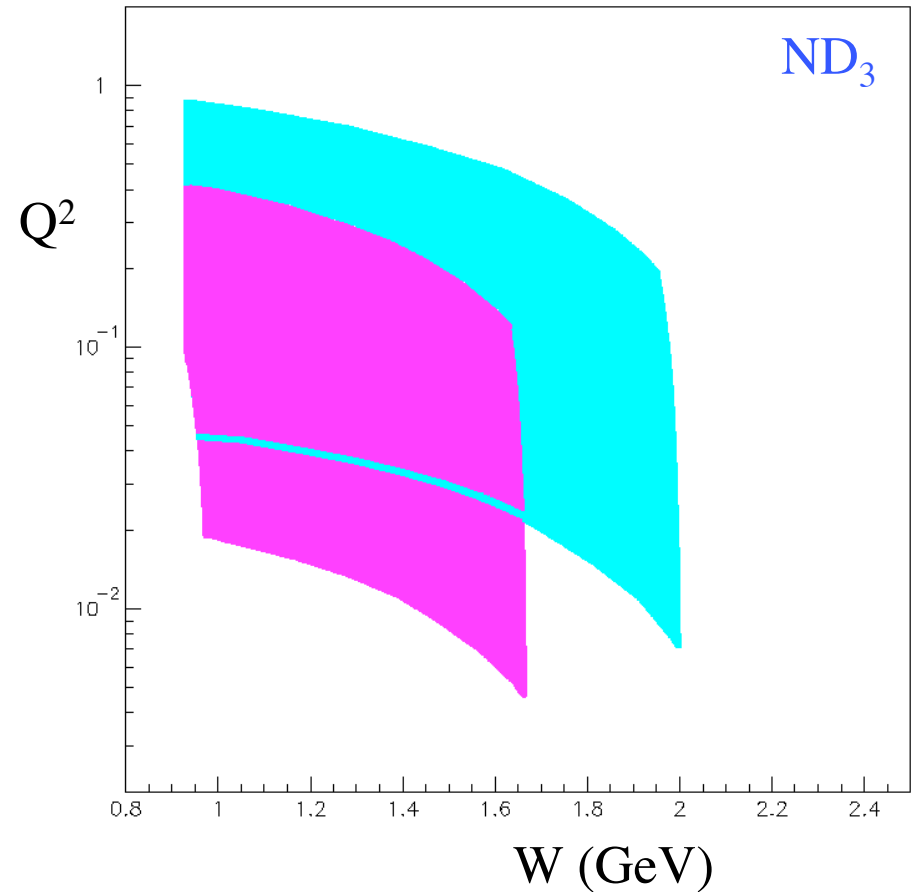
$$\left(\frac{d\sigma^{\uparrow\uparrow}}{d\Omega dE'} - \frac{d\sigma^{\downarrow\uparrow}}{d\Omega dE'} \right) = \frac{4\alpha^2 E'^2}{ME\nu Q^2} \left[(E - E' \cos\theta) g_1(x, Q^2) - 2Mx g_2(x, Q^2) \right]$$

 g_2 contribution highly suppressed at low Q^2

EG4 Kinematics



$E_0 = 1.1, 1.3, 1.5, 2.0, 2.3, 3.0$ GeV

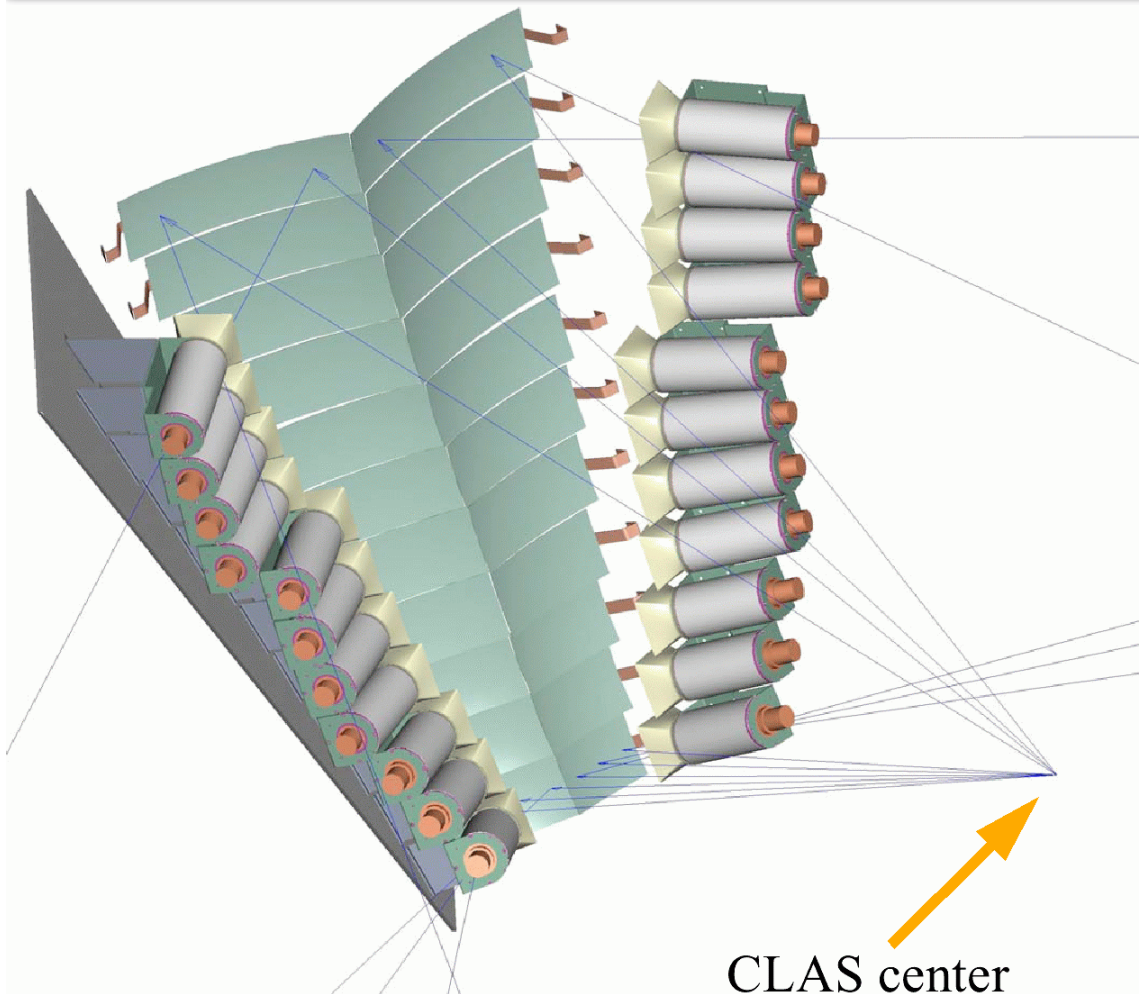


$E_0 = 1.3, 2.0$ GeV

$0.015 < Q^2 < 0.5$ GeV²

Good coverage of the resonance region

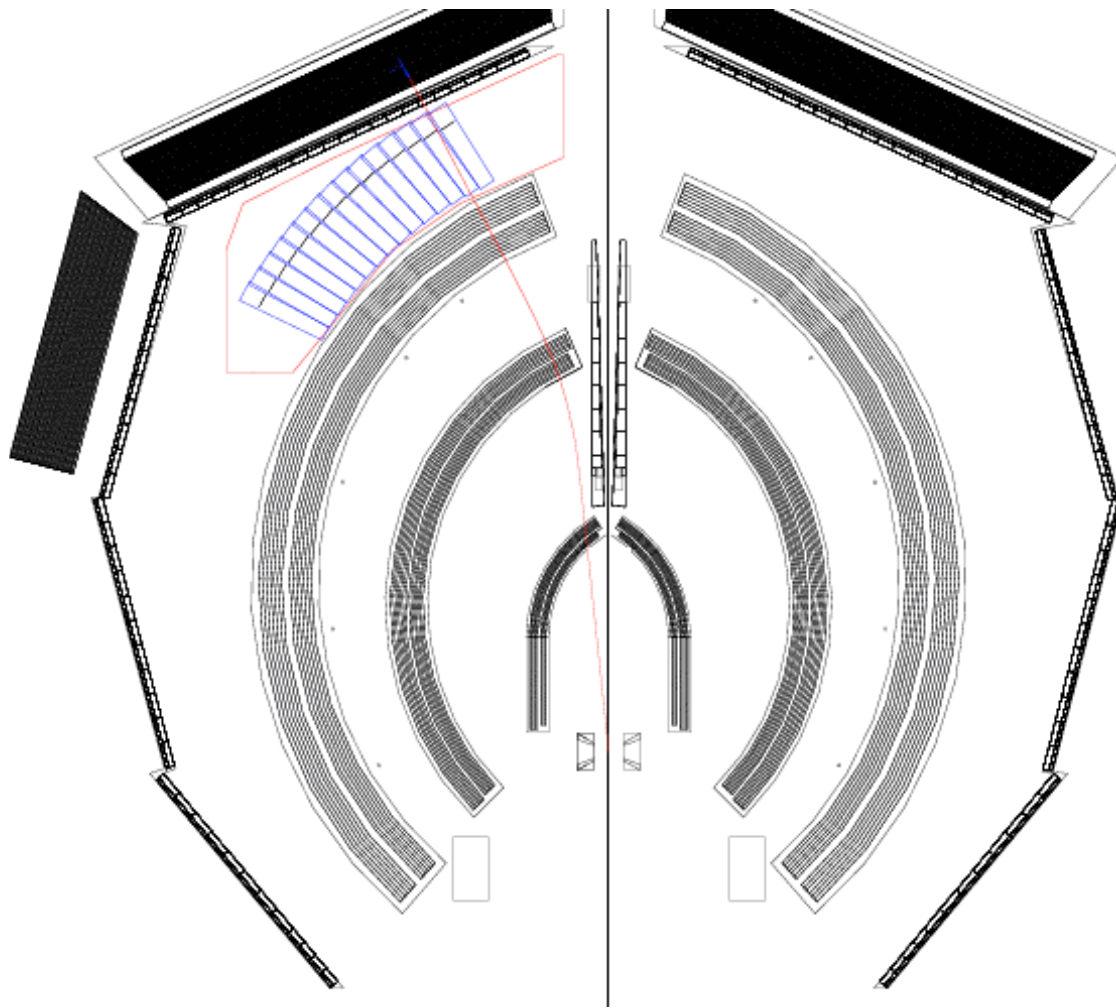
New Cerenkov Detector



Cross section measurement
requires uniform detection
efficiency at low Q^2

New Cerenkov (INFN-Genova)
to detect scattered electrons
down to 6 degrees.

New Cerenkov Detector



Overhead View of CLAS

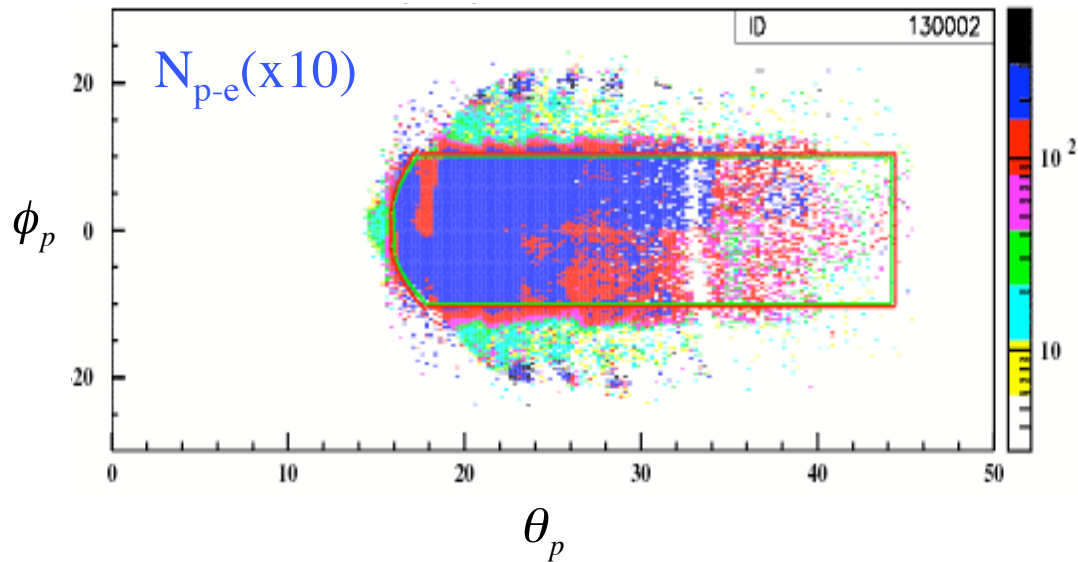
Cross section measurement requires uniform detection efficiency at low Q^2

New Cerenkov (INFN-Genova) to detect scattered electrons down to 6 degrees.

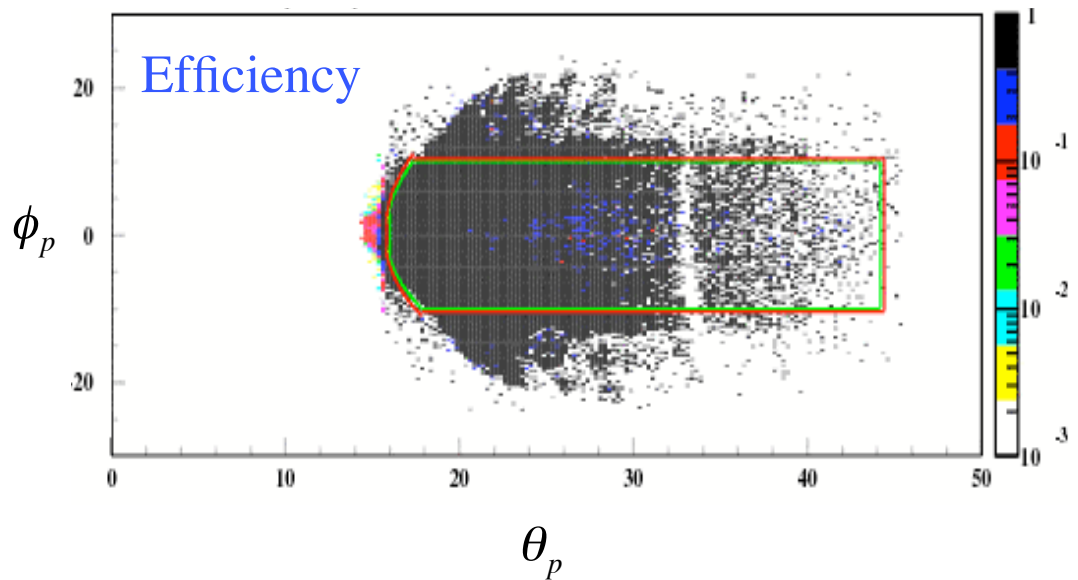
Single sector of CLAS used for inclusive trigger.

C_4F_{10} : perfluorobutane
 $n=1.00153$
 $P_{pi} > 2.5 \text{ GeV}/c$

New Cerenkov Performance



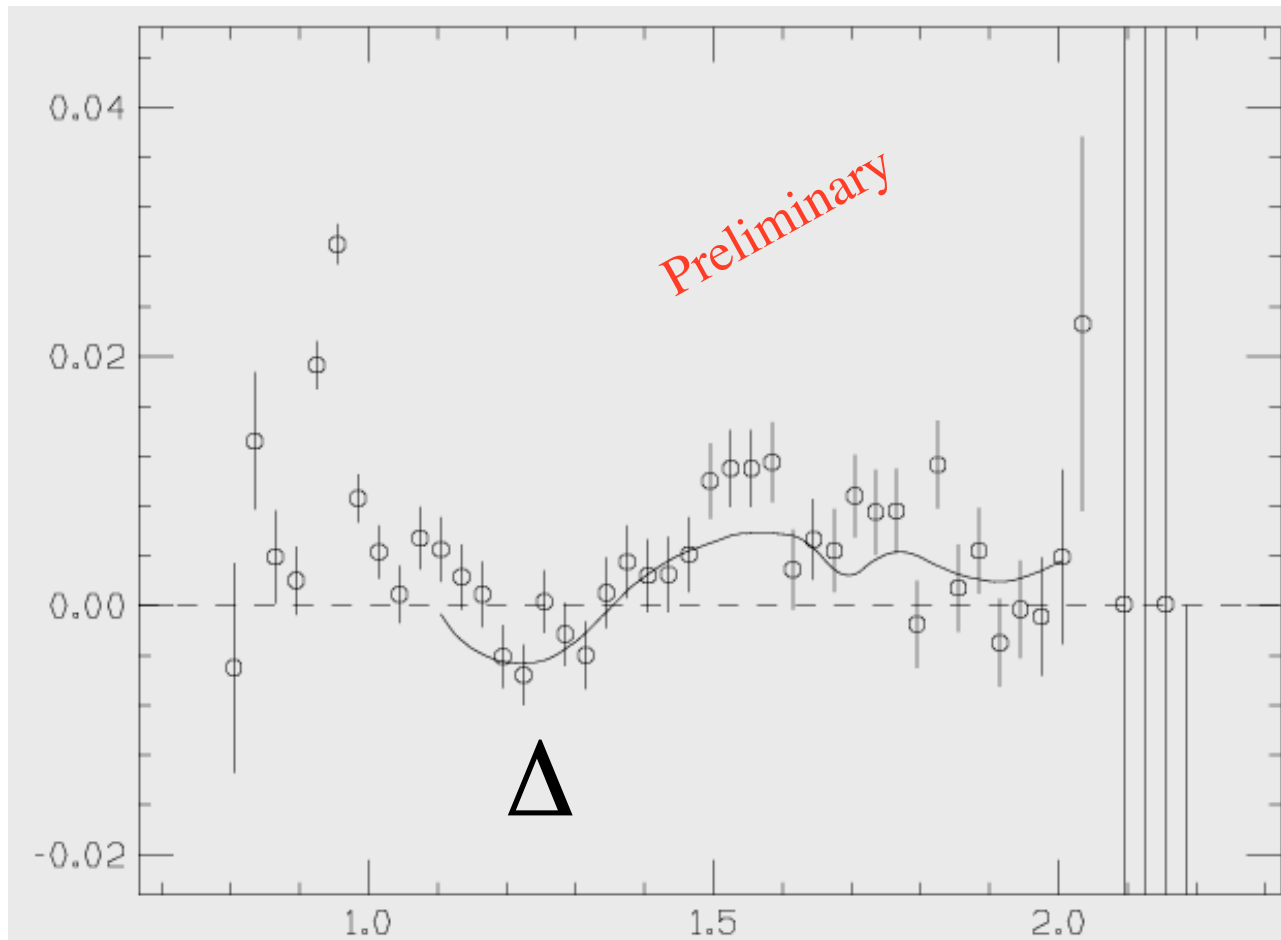
Large Number of photo-electrons.



Uniform detection efficiency.

Plot courtesy of X.Zheng

Raw Asymmetry



W (GeV)

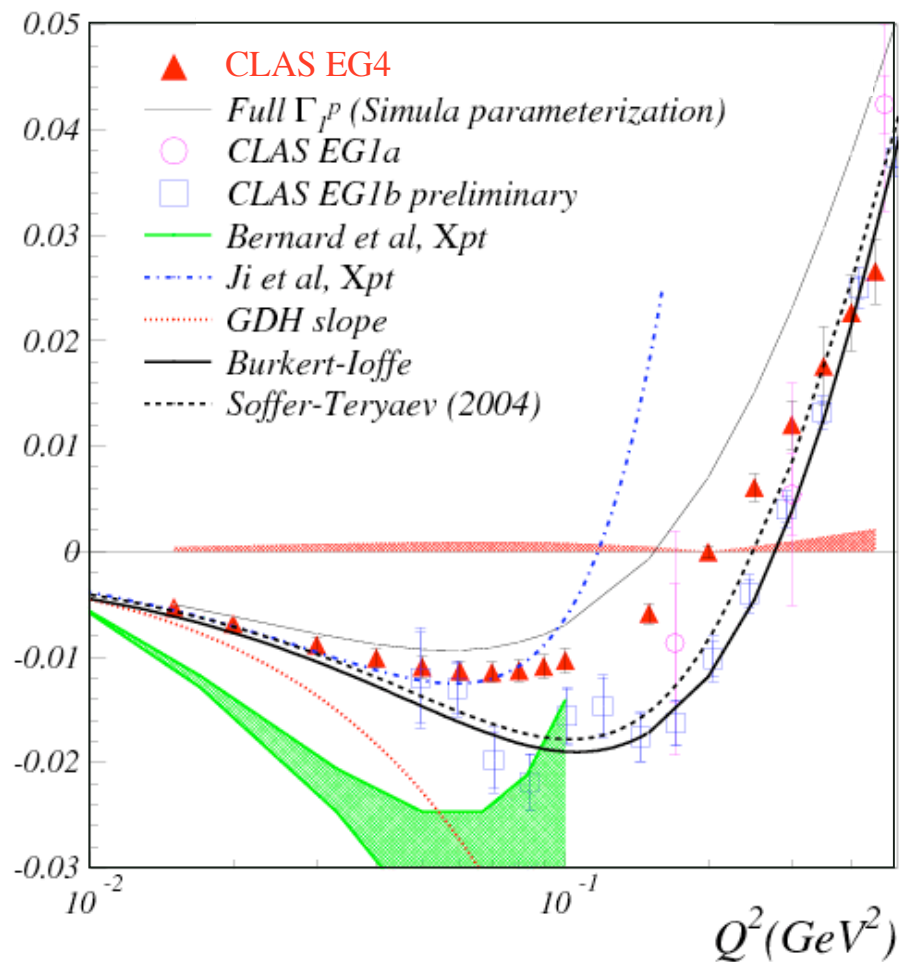
$E_0 = 2.2$ GeV

$0.22 < Q^2 < 0.379$

Plot courtesy of P. Bosted

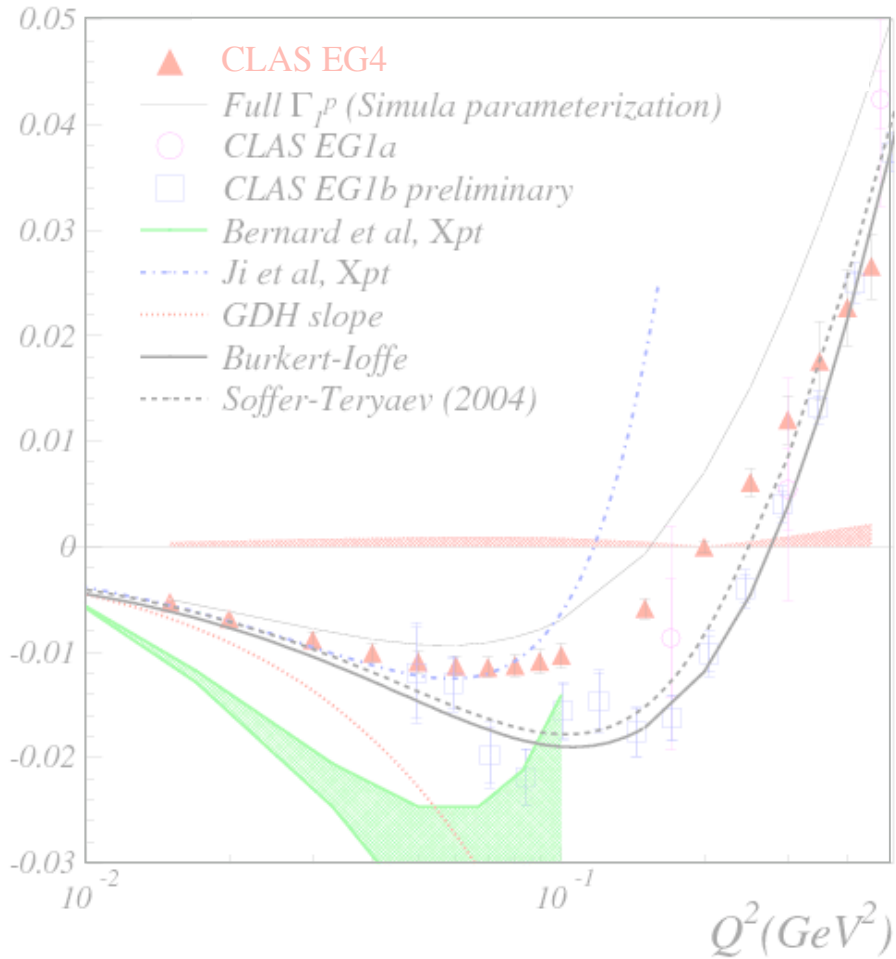
Expected Statistical Accuracy

Proton

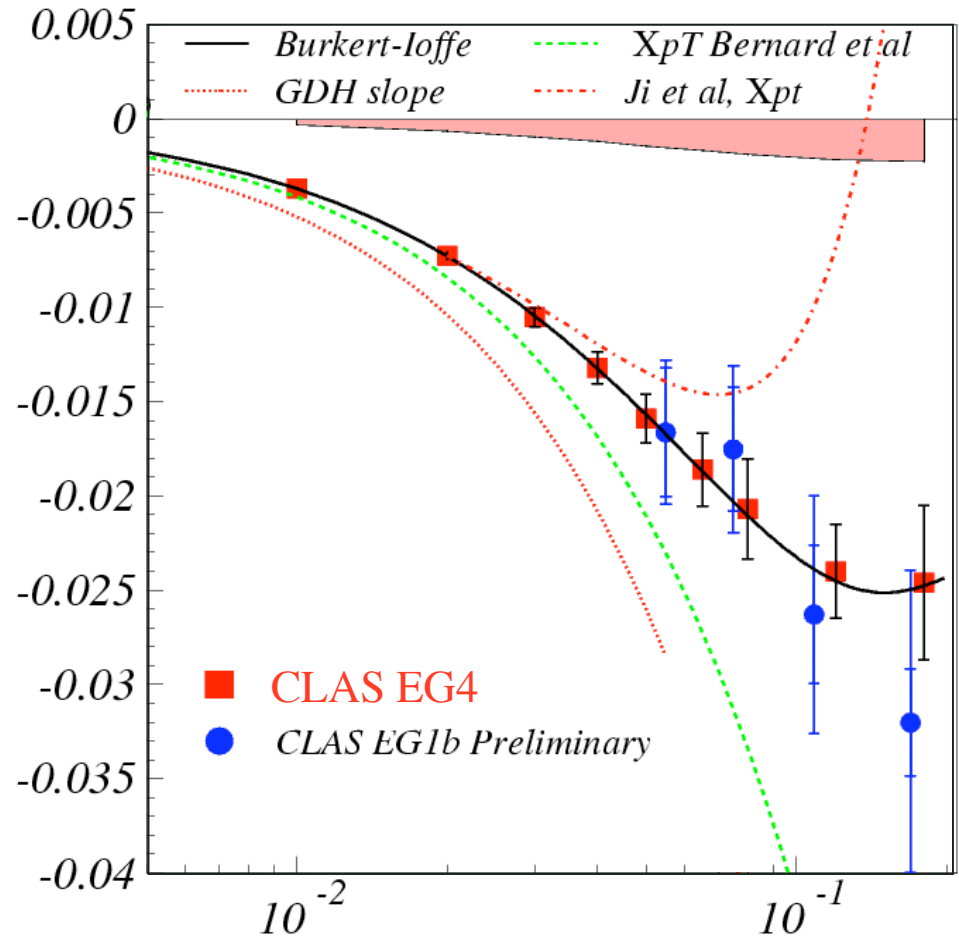


Expected Statistical Accuracy

Proton



Deuteron



Plot courtesy of A. Deur

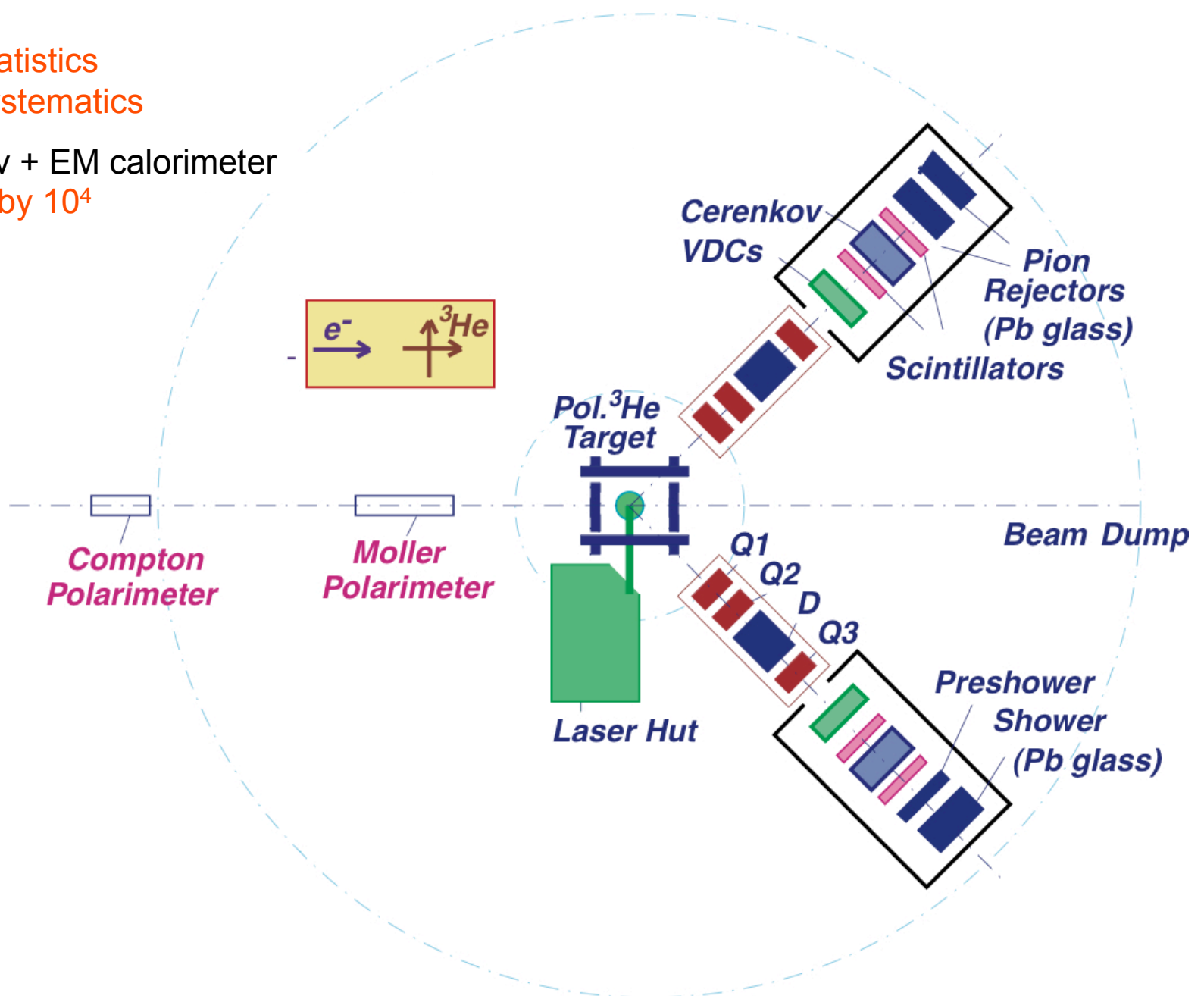
Hall A

Two HRS

double the statistics
control the systematics

PID = Cerenkov + EM calorimeter

π/e reduced by 10^4



Hall A E97-110

Generalized GDH Integral at Low Q^2

Spokespersons:

J.P. Chen, A. Deur and F. Garibaldi

Students

J. Singh, V. Sulkosky and J. Yuan

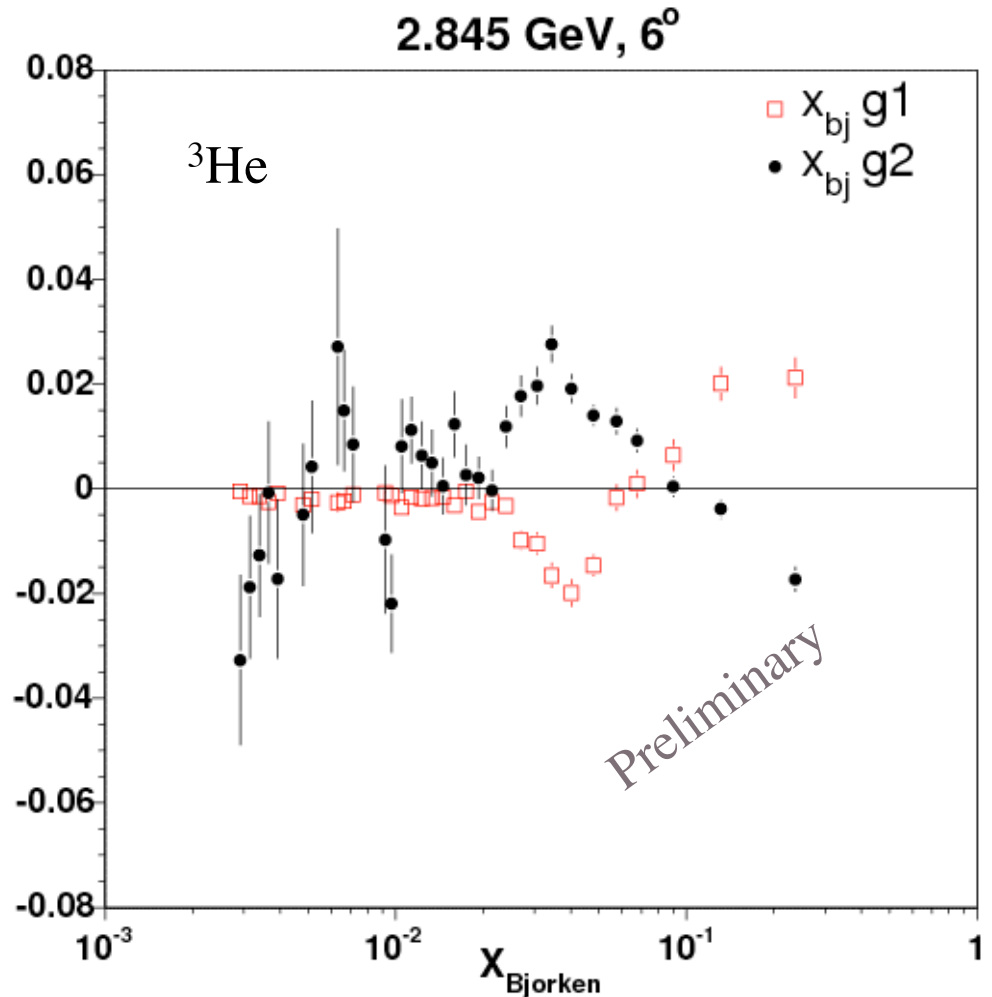
$${}^3\text{He}(\vec{e}, \vec{e}')X$$

${}^3\text{He}(\text{neutron})$ g_1 and g_2

Kinematic Range

W : Resonance region

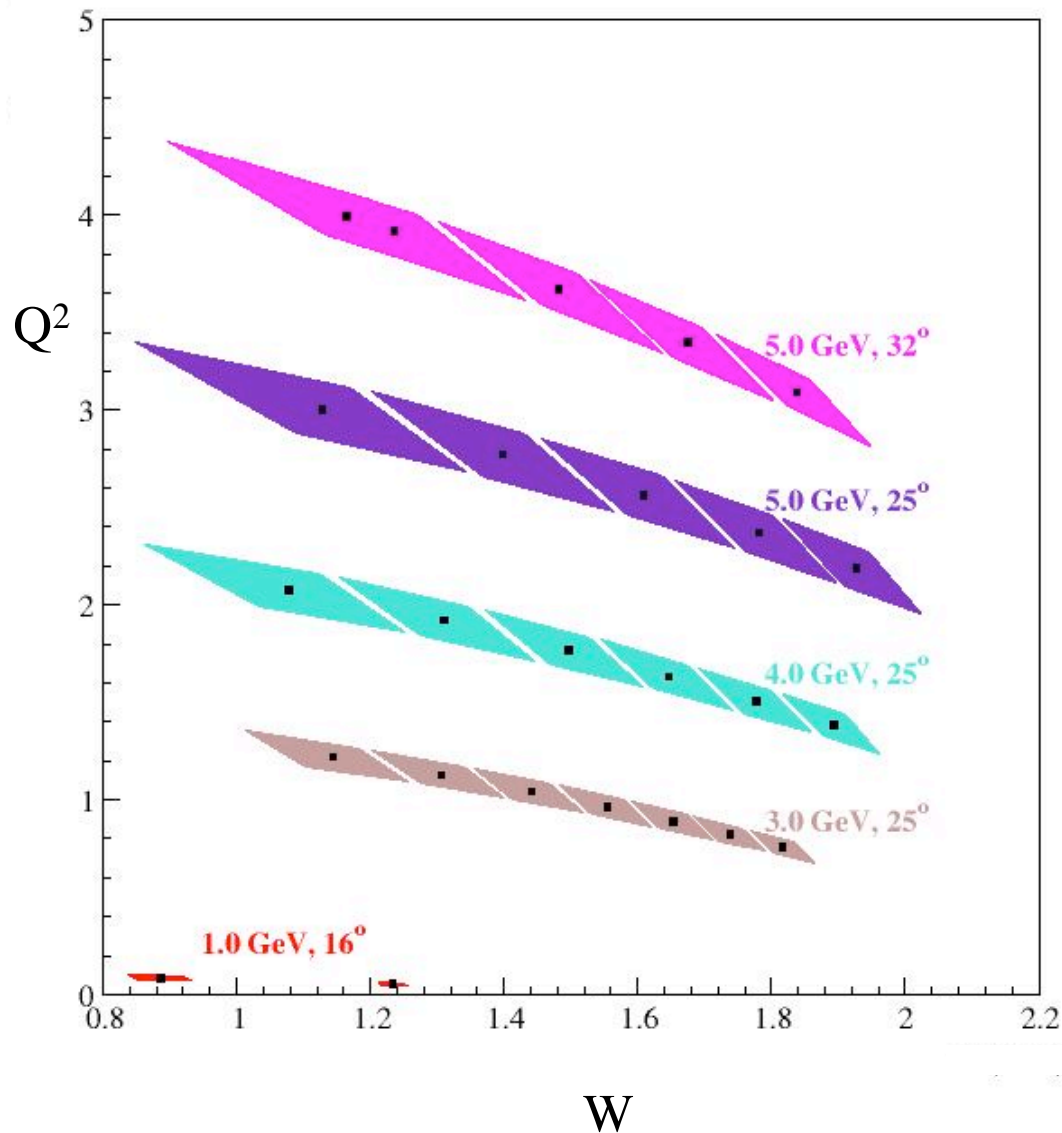
$$0.02 < Q^2 < 0.3 \text{ GeV}^2$$



Plot courtesy of V. Sulkosky

E01-012

Test of Spin Duality on the neutron (and ^3He)



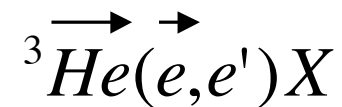
Spokespersons:

J.P. Chen, Seonho Choi, N. Liyanage

PhD. Student

P. Solvignon

Ran in 2003



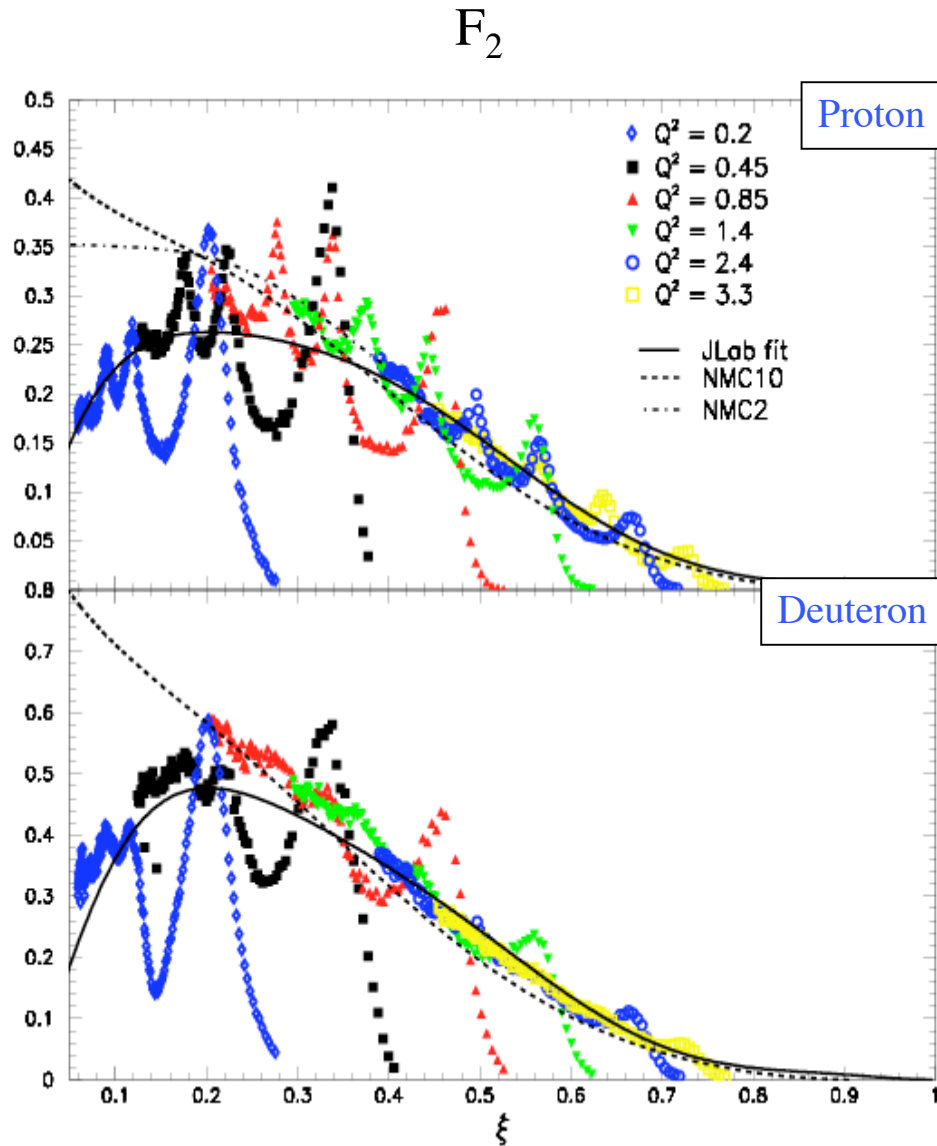
Polarized XS differences

Extract g_1 and g_2

Kinematic Range

$$1.2 < Q^2 < 3.0 \text{ GeV}^2$$

Quark-Hadron Duality



Bloom-Gilman (1970)

F_2 measured in the resonance region
averages to the large Q^2 scaling curve

PRL 25, 1140 (1970)

PRD 4, 2901 (1971)

JLAB Hall C

PRL 85 1182 (2000)

Global duality within 10%

Local duality within 10% for:

$W=1232$ MeV

$W=1535$ MeV

$W=1680$ MeV

Spin Duality

Bianchi, Fantoni and Liuti, PRD 69 014505 (2004)

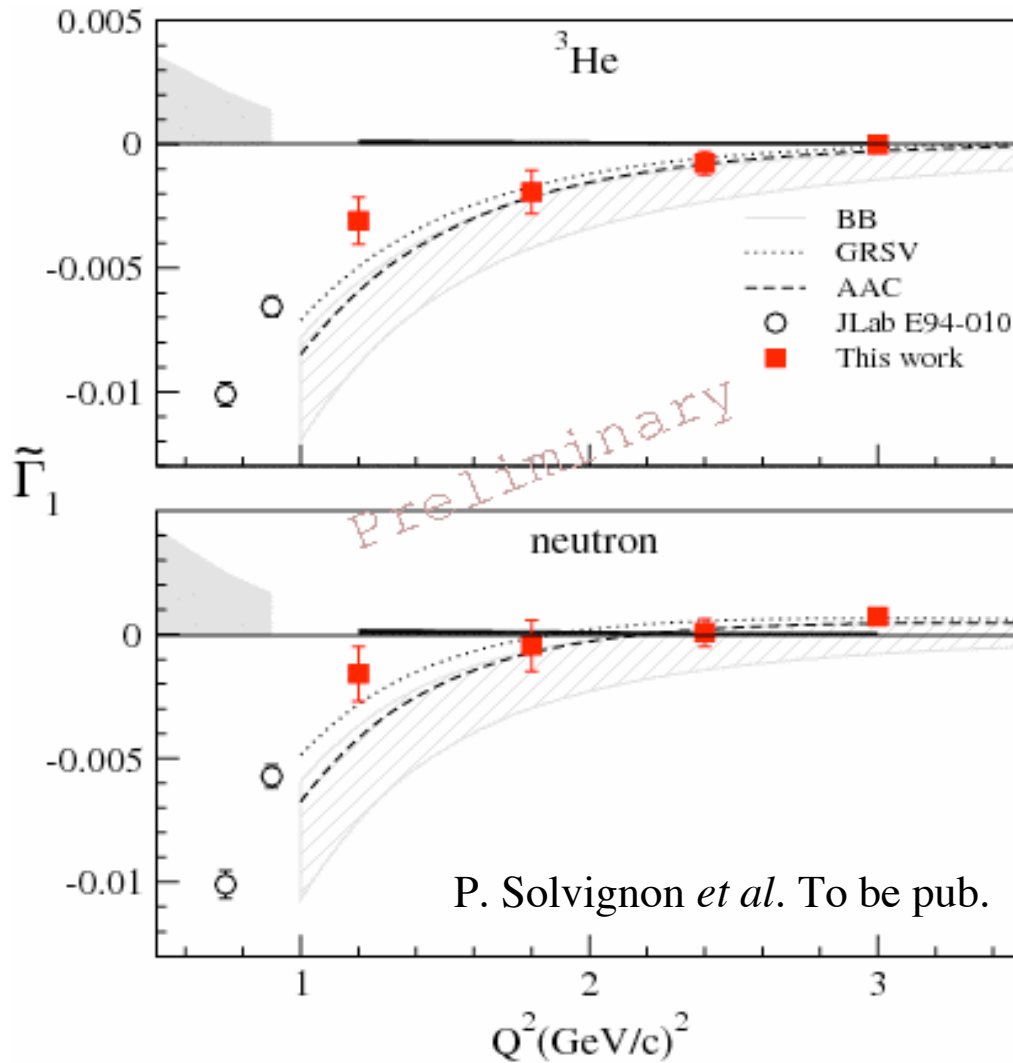
- 1) Determine g_1^{res} at constant Q^2
- 2) Integrate over region of interest (local or Global)
- 3) Compare to DIS result evolved to same Q^2

$$\Gamma_1^{res}(Q^2) \equiv \int_{x \min}^{x \max} g_1^{res} dx$$

$$\Gamma_1^{dis}(Q^2) \equiv \int_{x \min}^{x \max} g_1^{dis} dx$$

$$\Gamma_1^{res}(Q^2) = \Gamma_1^{dis}(Q^2) \Rightarrow \text{Duality}$$

Test of Duality on Neutron and ^3He



$$\tilde{\Gamma}_1^{dis} = \int_{x_{min}}^{x_{max}} g_1^{dis}(x, Q^2) dx$$

$$\tilde{\Gamma}_1^{res} = \int_{x_{min}}^{x_{max}} g_1^{res}(x, Q^2) dx$$

$$\tilde{\Gamma}_1^{res} = \tilde{\Gamma}_1^{dis} \quad ??$$

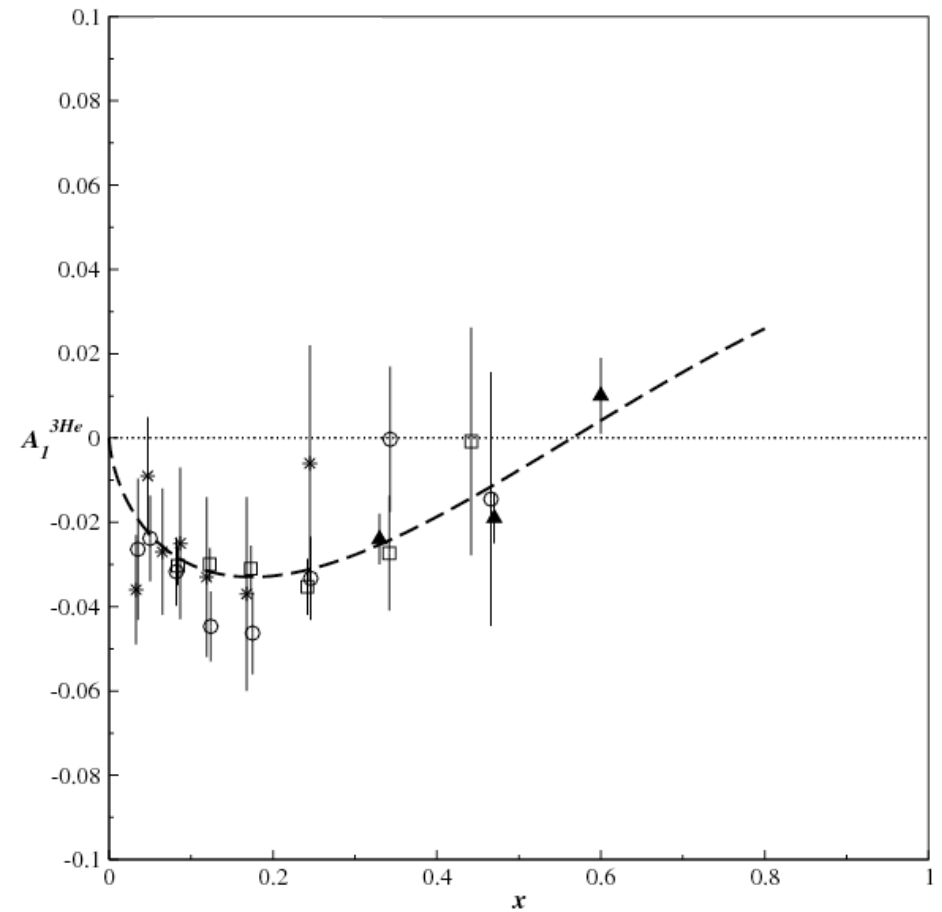
Global duality seems to work for $Q^2 > 1.8 \text{ GeV}^2$

A_1 ^3He : World Data

Spin Asymmetry A_1

Existing World DIS Data

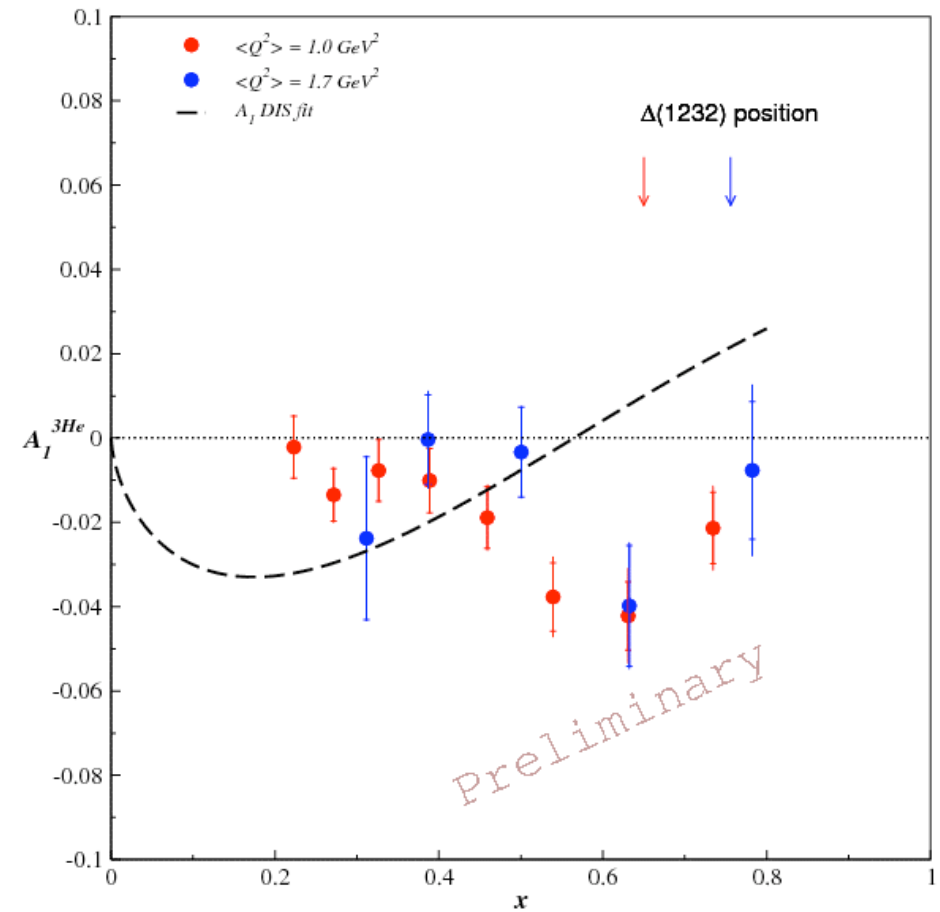
SLAC
HERMES
JLAB



A_1 ^3He : New results

$\langle Q^2 \rangle = 1.7 \text{ GeV}^2$

$\langle Q^2 \rangle = 1 \text{ GeV}^2$



For $Q^2 = 1$ and 1.7 GeV^2 prominent negative Δ peak – no duality

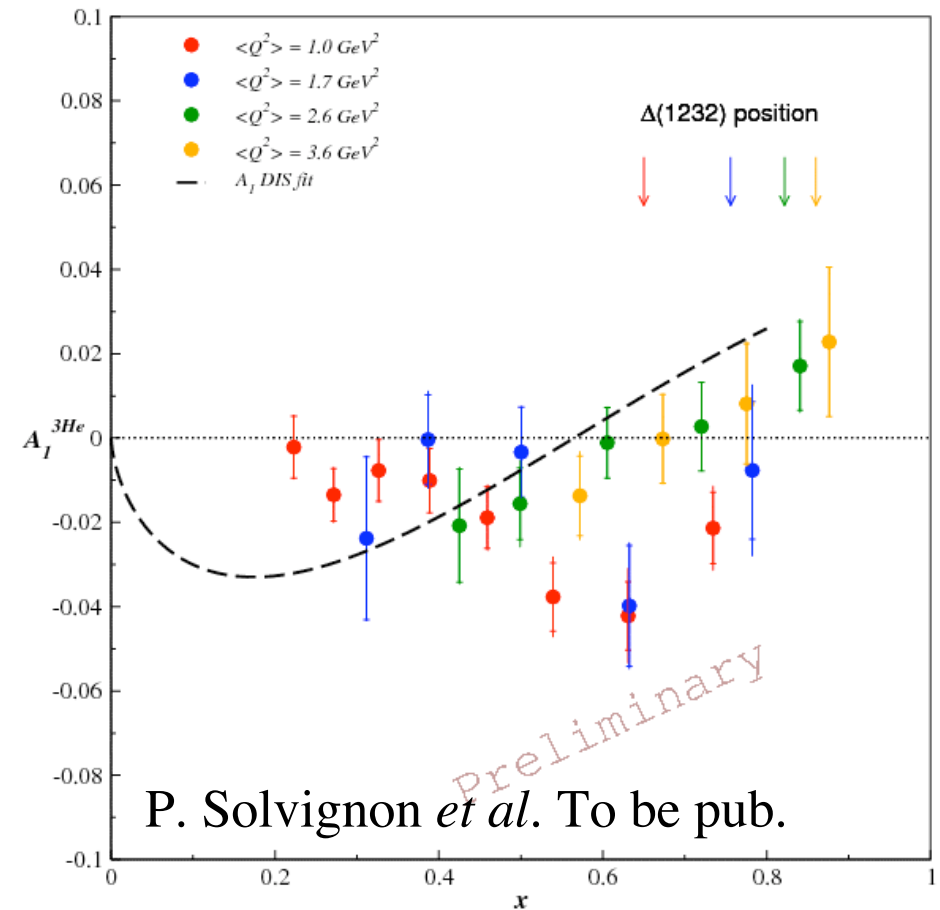
A_1 ^3He : New results

$$\langle Q^2 \rangle = 3.6 \text{ GeV}^2$$

$$\langle Q^2 \rangle = 2.6 \text{ GeV}^2$$

$$\langle Q^2 \rangle = 1.7 \text{ GeV}^2$$

$$\langle Q^2 \rangle = 1 \text{ GeV}^2$$



For $Q^2 = 1$ and 1.7 GeV^2 prominent negative Δ peak – no duality

For $Q^2 = 2.6$ and 3.6 GeV^2 ,

No Δ peak

No Q^2 dependence

DIS type behavior from resonance data – **duality !**

Resonant Spin Structure of the Proton and Deuteron

Mark K. Jones
JLAB

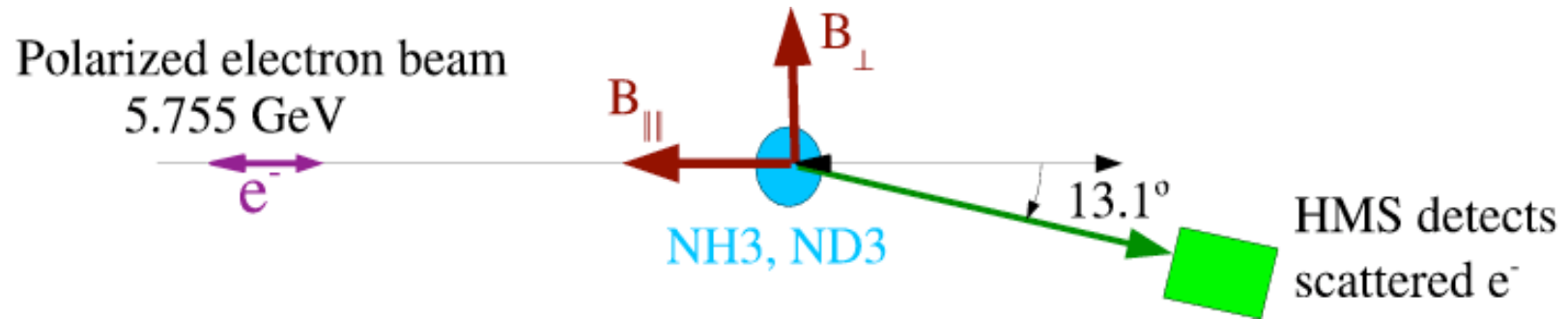
Oscar A. Rondon
UVA



E01-006 Collaboration

Univ. Basel, Florida International Univ., Hampton Univ., Univ. of Massachusetts, Univ. of Maryland, Mississippi State Univ., North Carolina A&T Univ., Univ. of N. C. at Wilmington, Norfolk State Univ., Old Dominion Univ., S.U. at New Orleans, Univ. of Tel-Aviv, Jefferson Lab, Univ. of Virginia, Virginia P. I. & S.U., Yerevan Physics Institute

The RSS Experiment



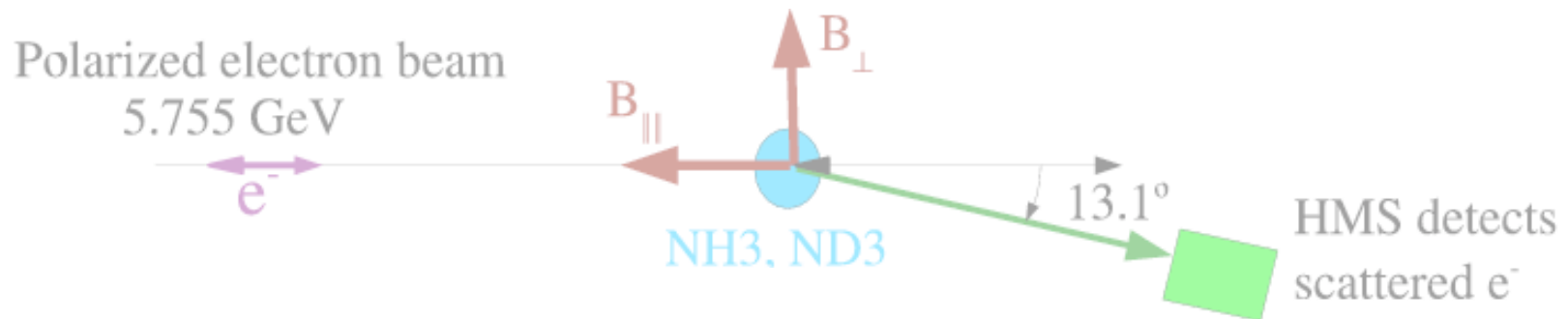
GOALS:

Proton & Deut Spin structure g_1 and g_2

Study onset of polarized local duality

Twist-3 effects

The RSS Experiment



GOALS:

Proton & Deut Spin structure g_1 and g_2

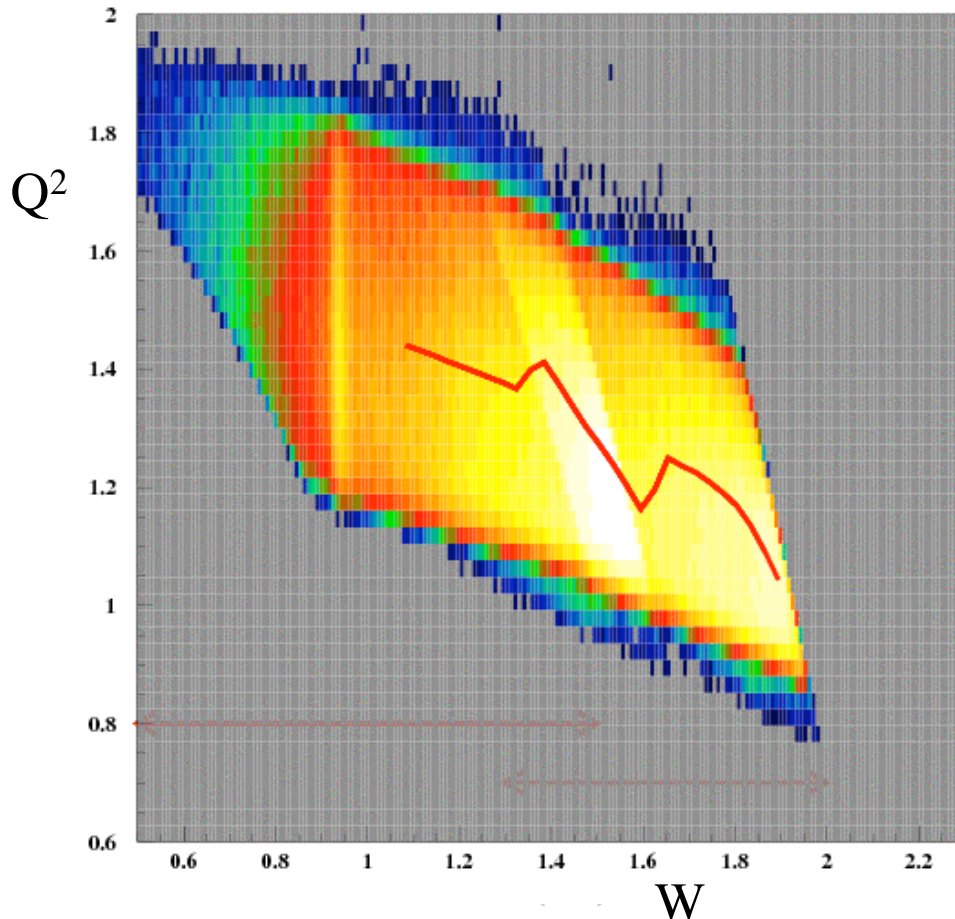
Study onset of polarized local duality

Twist-3 effects

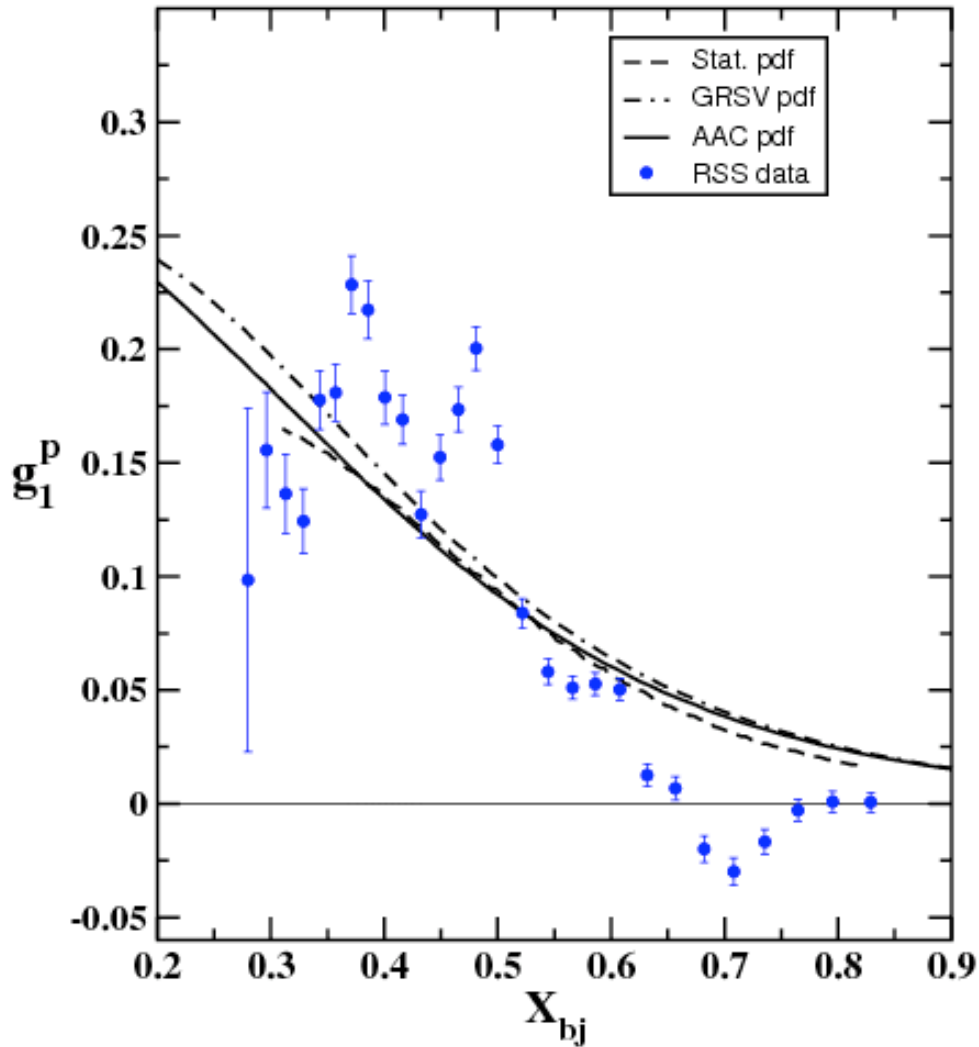
Kinematics

$$Q^2 \sim 1.3 \text{ GeV}^2$$

$$0.8 < W < 2.0 \text{ GeV}^2$$



Test of Polarized Duality



PDFs

GRSV: Phys. Rev. D 53, (1996) 4775

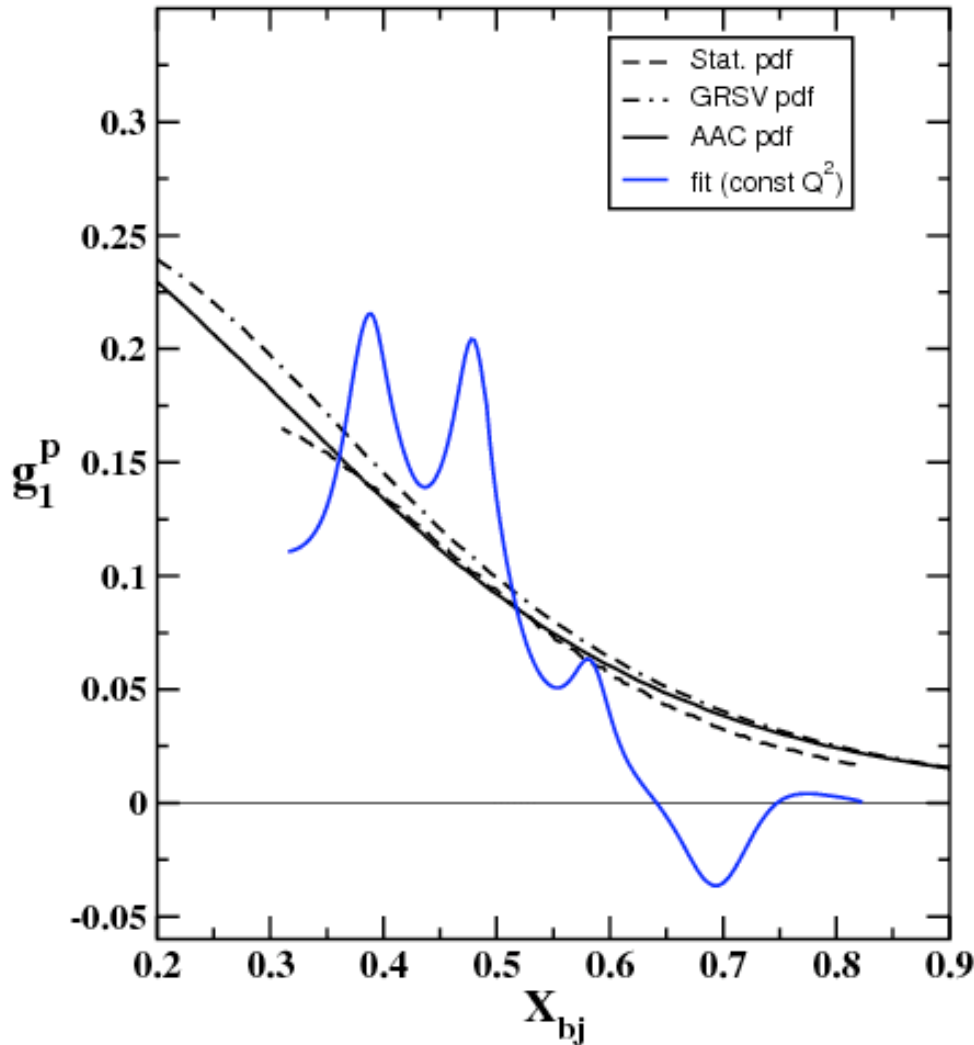
BSB : Eur. Phys. J. C 41, (2005) 327

AAC : Phys. Rev. D 62, (2000) 034017

All pdfs evolved to $Q^2=1.279$
Target mass corrections applied

$$\frac{\overline{\Gamma}_1^{DIS}}{\overline{\Gamma}_1^{Res}} = 1 \quad ??$$

Global Duality



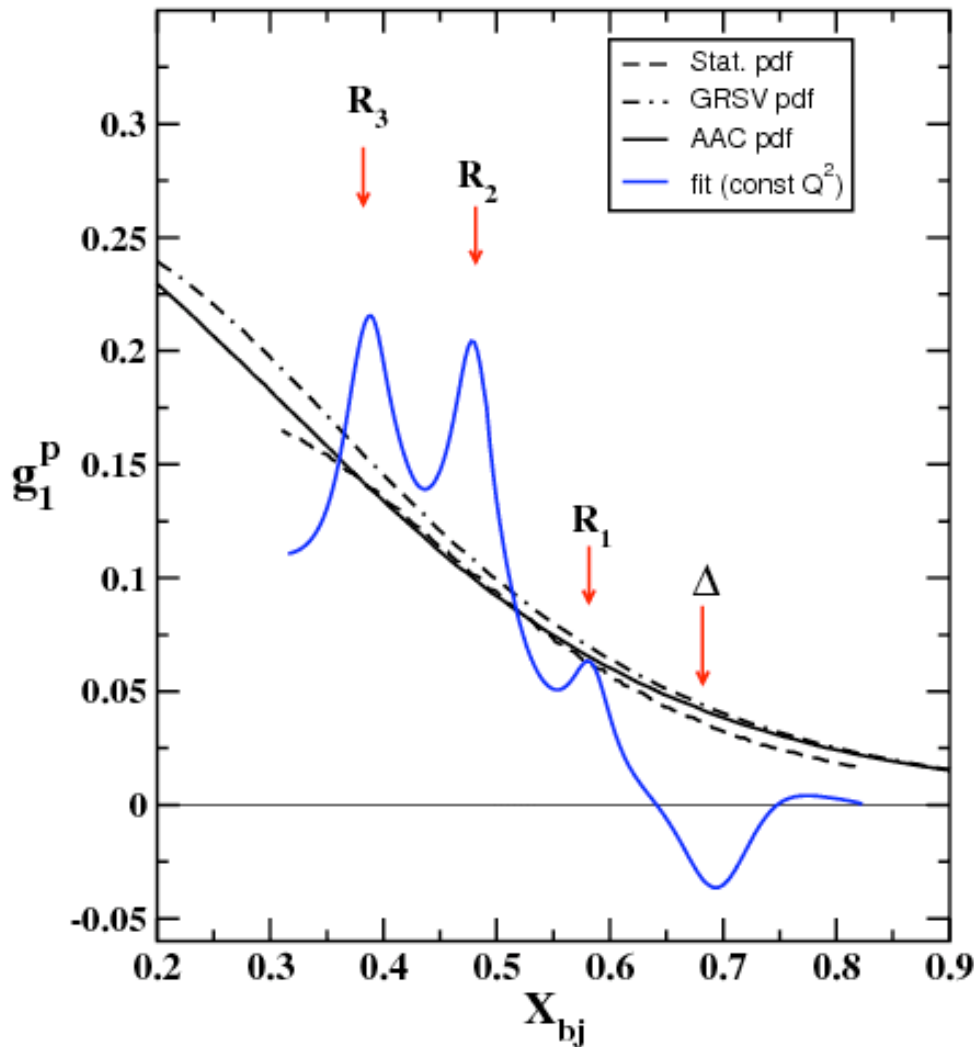
	BSB	GRSV	AAC	AVE
Global	1.11	1.23	1.14	1.17±0.08

$$\frac{\overline{\Gamma}_1^{DIS}}{\overline{\Gamma}_1^{Res}} = 1 \quad ??$$

Almost....

Large x resummations
Increase discrepancy by 1.3

g_1^p : Local Duality

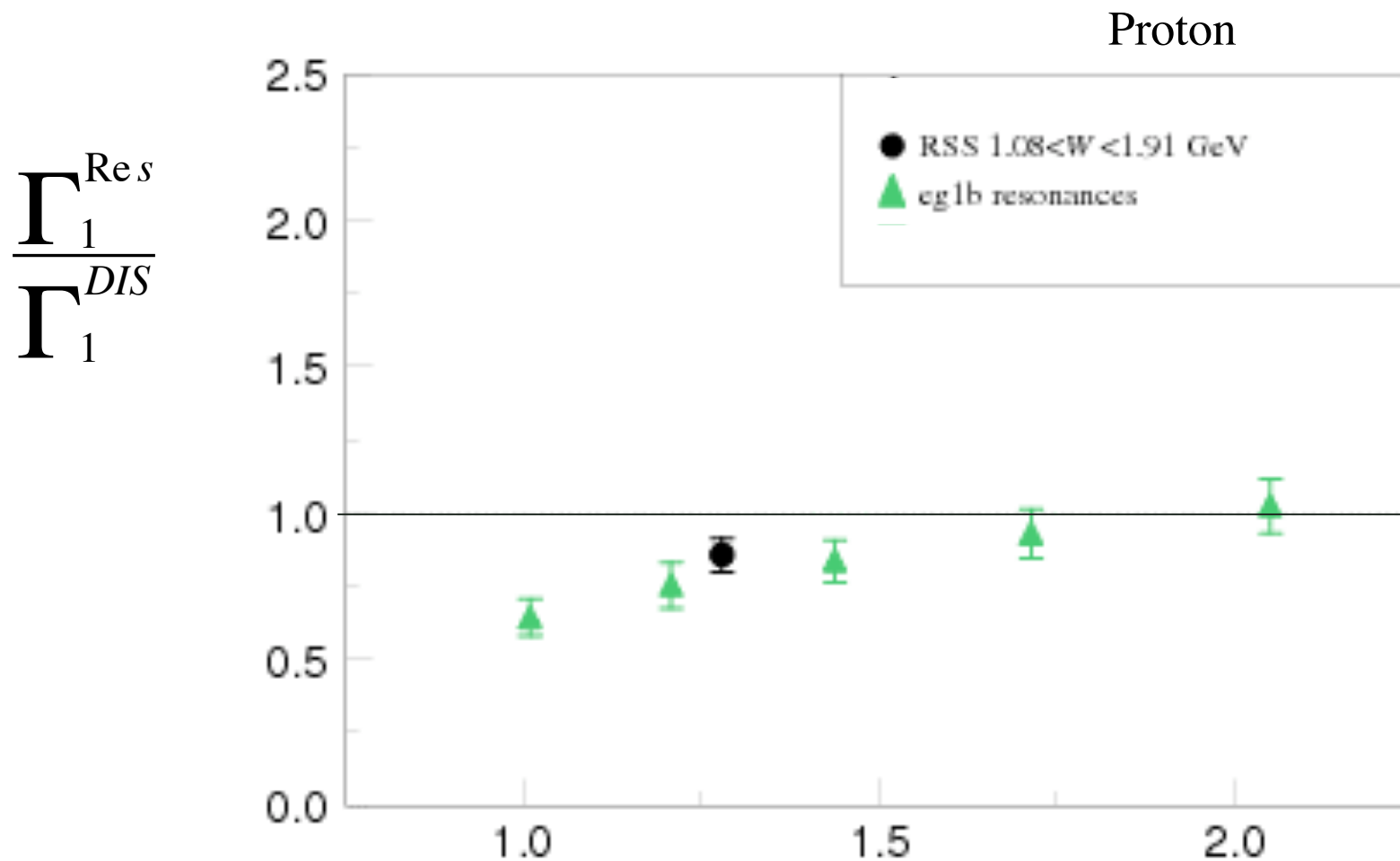


	BSB	GRSV	AAC	AVE
Delta	3.41	4.18	3.96	3.93+-0.58
R1	1.28	1.44	1.33	1.36+-0.10
R2	0.77	0.82	0.75	0.78+-0.05
R3	0.77	0.84	0.77	0.79+-0.06

$$\frac{\overline{\Gamma}_1^{DIS}}{\overline{\Gamma}_1^{Res}} = 1 \quad ??$$

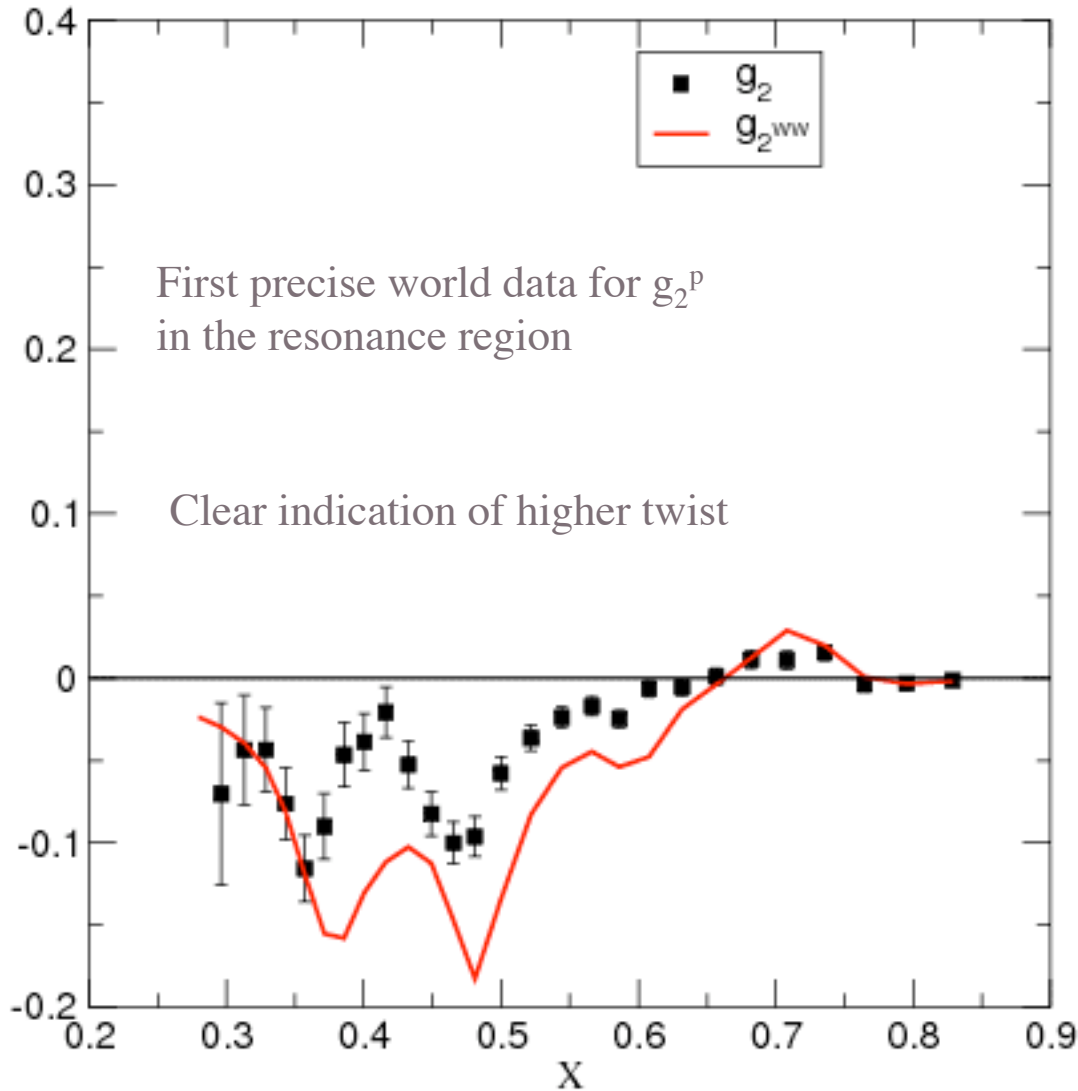
Not locally

Onset of Global Duality



Melnitchouk, Ent & Keppel,
Phys. Rep. 406, 127 (2005)

Higher Twist in g_2



$$g_2 = g_2^{WW} + \overline{g_2}$$

Higher twist

Wandzura-Wilczek relation

PLB 72, 195 (1977)

$$g_2^{WW} = -g_1 + \int_x^1 \frac{g_1}{y} dy$$

Leading twist determined by g_1

Twist-3

$$d_2 = 3 \int_0^{1-\varepsilon} x^2 (g_2 - g_2^{WW}) dx$$

$$= 2 \int_0^{1-\varepsilon} x^2 (g_1 + \frac{3}{2} g_2) dx$$

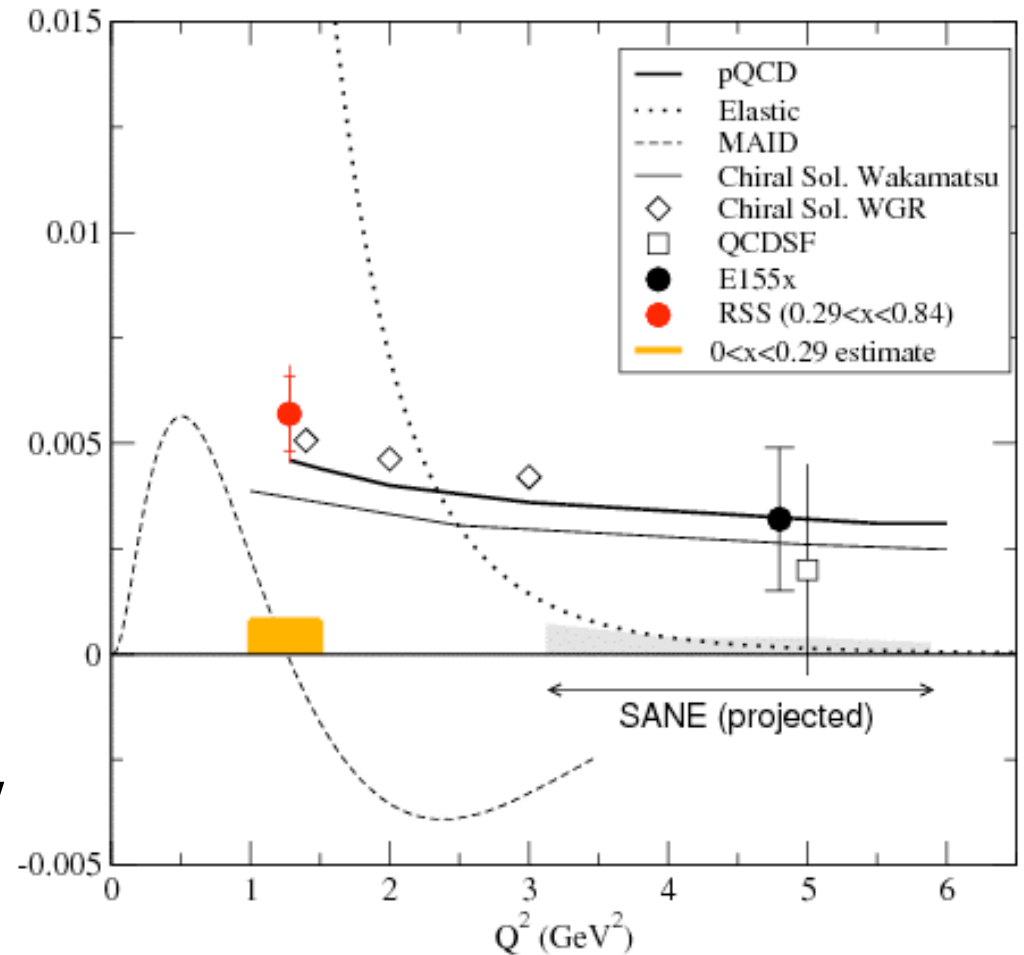
Cornwall-Norton moment

Measured: $0.29 < x < 0.84$

$$d_2 = 0.0057 \pm 0.0009 \pm 0.0007$$

Unmeasured estimate: $x < 0.29$

$$0.0008 \pm 0.0002$$



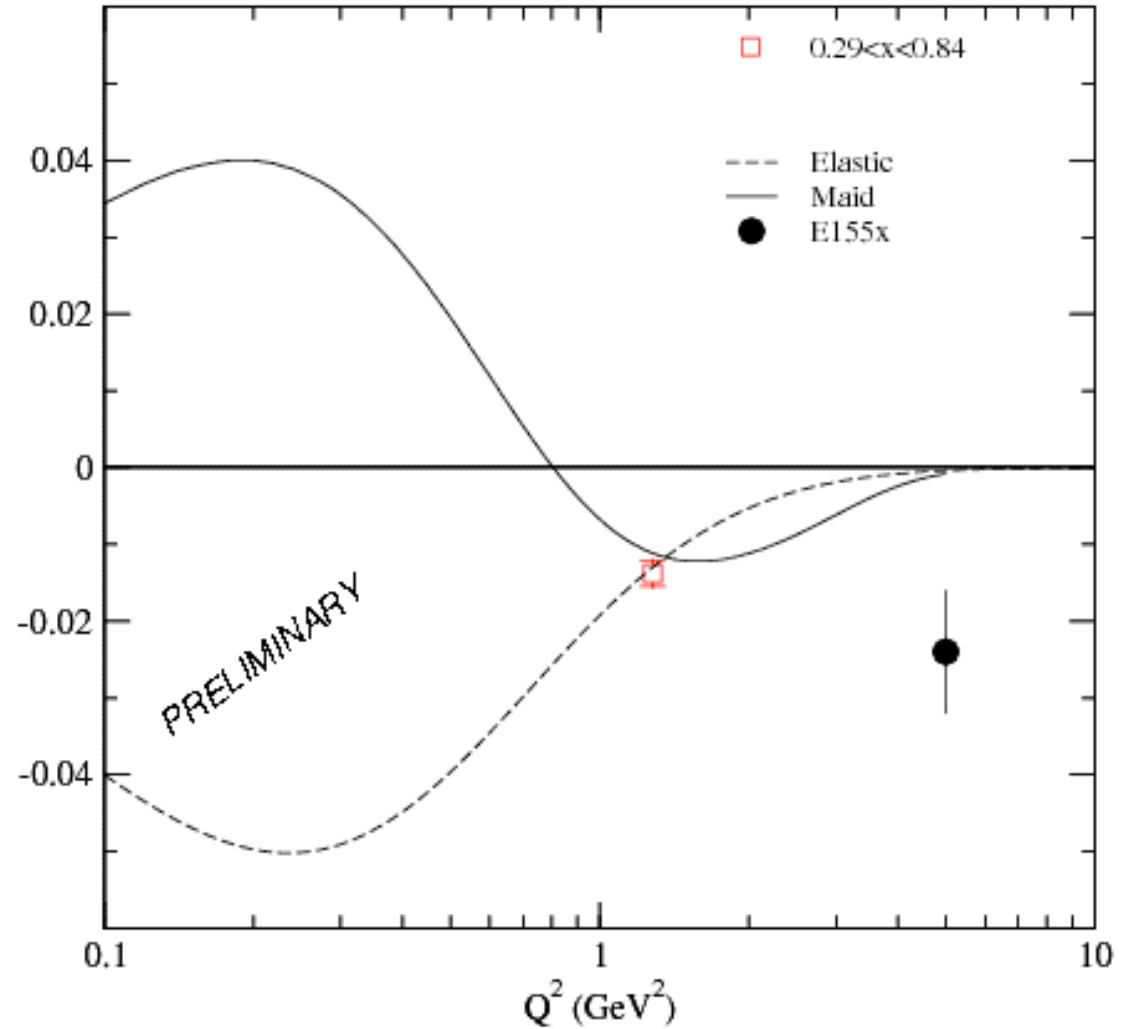
Wesselmann, Slifer, Tajima, *et al.* (RSS Collab)
PRL 98, 132003 (2007)

Burkhardt-Cottingham SR

$$\Gamma_2 = \int_0^1 g_2(x, Q^2) dx = 0$$

H.Burkhardt, and W.N. Cottingham
Annals Phys. 56 (1970) 453.

Resonance region
 $0.29 < x < 0.84$

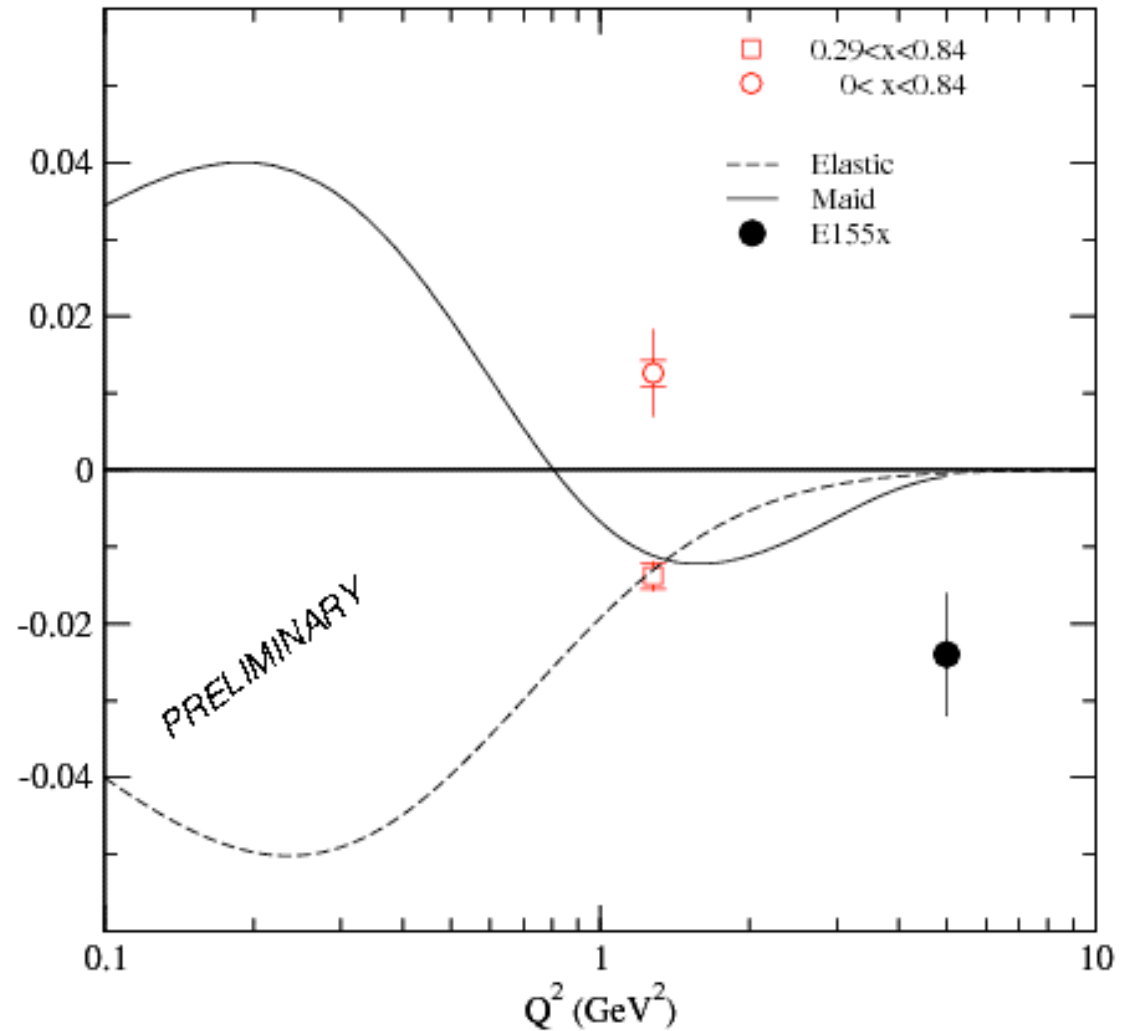


Burkhardt-Cottingham SR

$$\Gamma_2 = \int_0^1 g_2(x, Q^2) dx = 0$$

H.Burkhardt, and W.N. Cottingham
Annals Phys. 56 (1970) 453.

Resonance region+DIS
 $0 < x < 0.84$

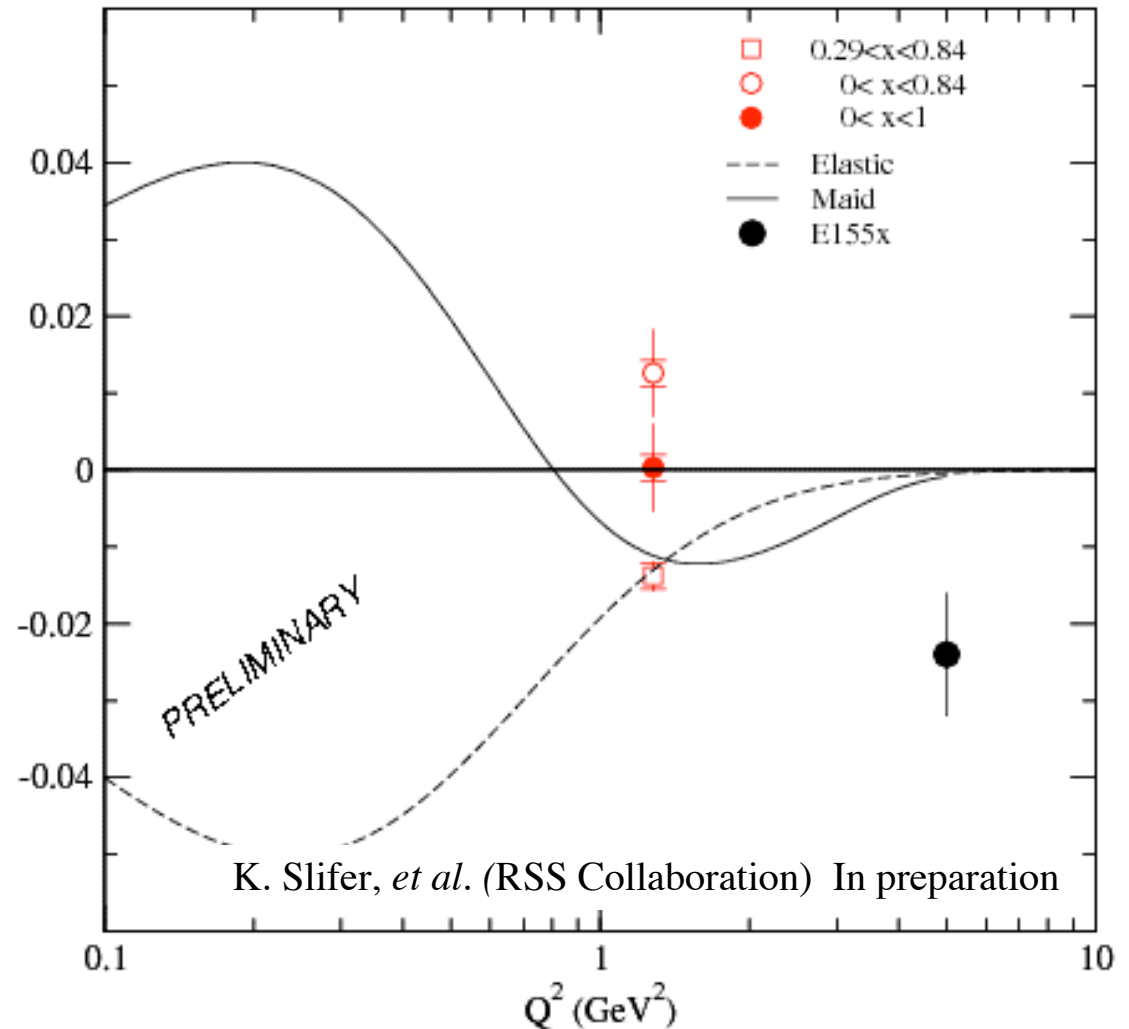


Burkhardt-Cottingham SR

$$\Gamma_2 = \int_0^1 g_2(x, Q^2) dx = 0$$

H. Burkhardt, and W.N. Cottingham
Annals Phys. 56 (1970) 453.

Resonance region+DIS+Elastic
 $0 < x < 1$



Neutron

Neutron from Proton and Deuteron

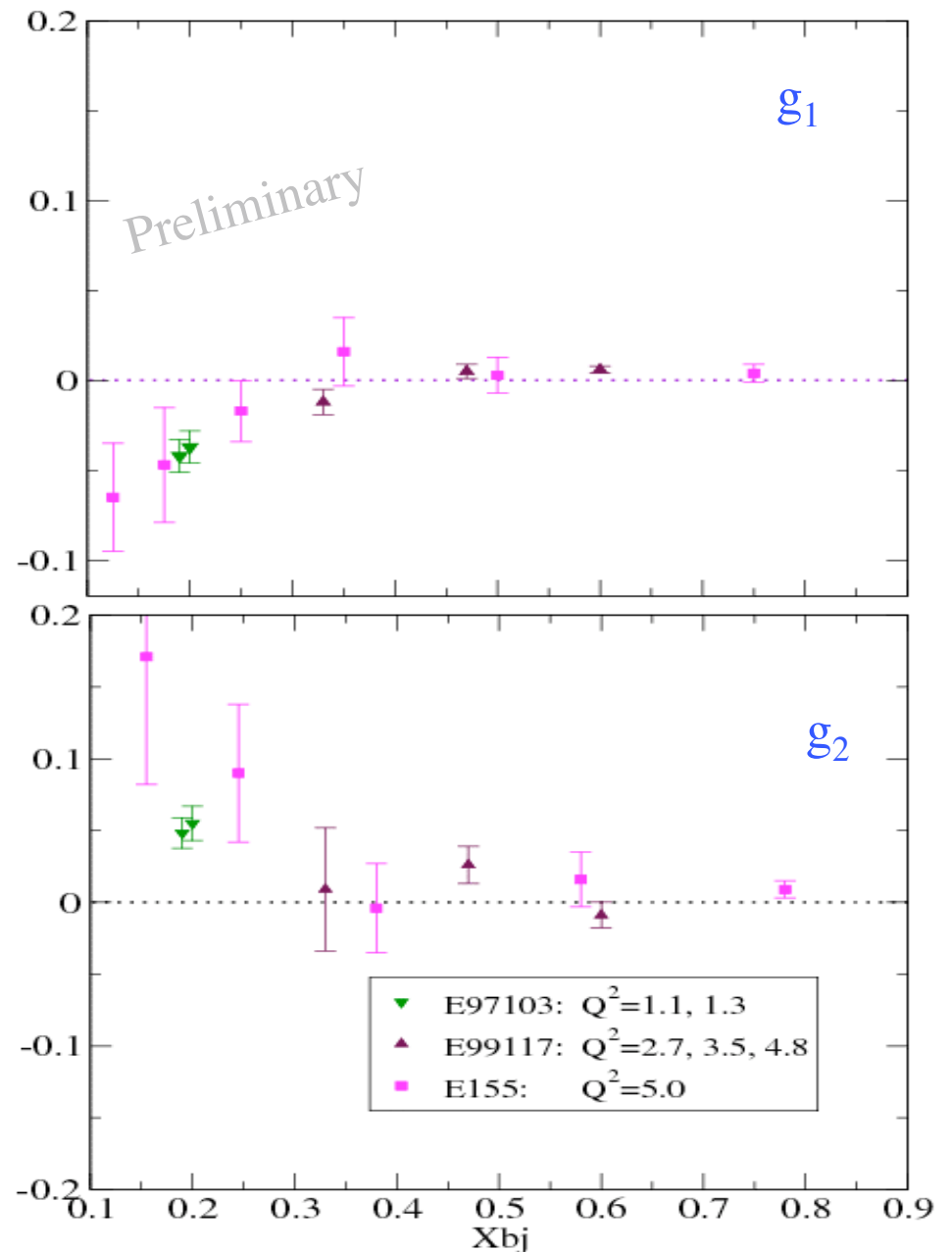
Bodek-Ritchie version of Atwood-West smearing

Generate smeared proton DS by convolution
Of G_1 G_2 with nucleon momentum dist
To get g_1^s, g_2^s

Subtract smeared proton from deuteron to get
smeared neutron quantities.

x-dependent D-state correction:

Melnitchouk, Piller, Thomas PLB 346, 165(1995)



Neutron

Neutron from Proton and Deuteron

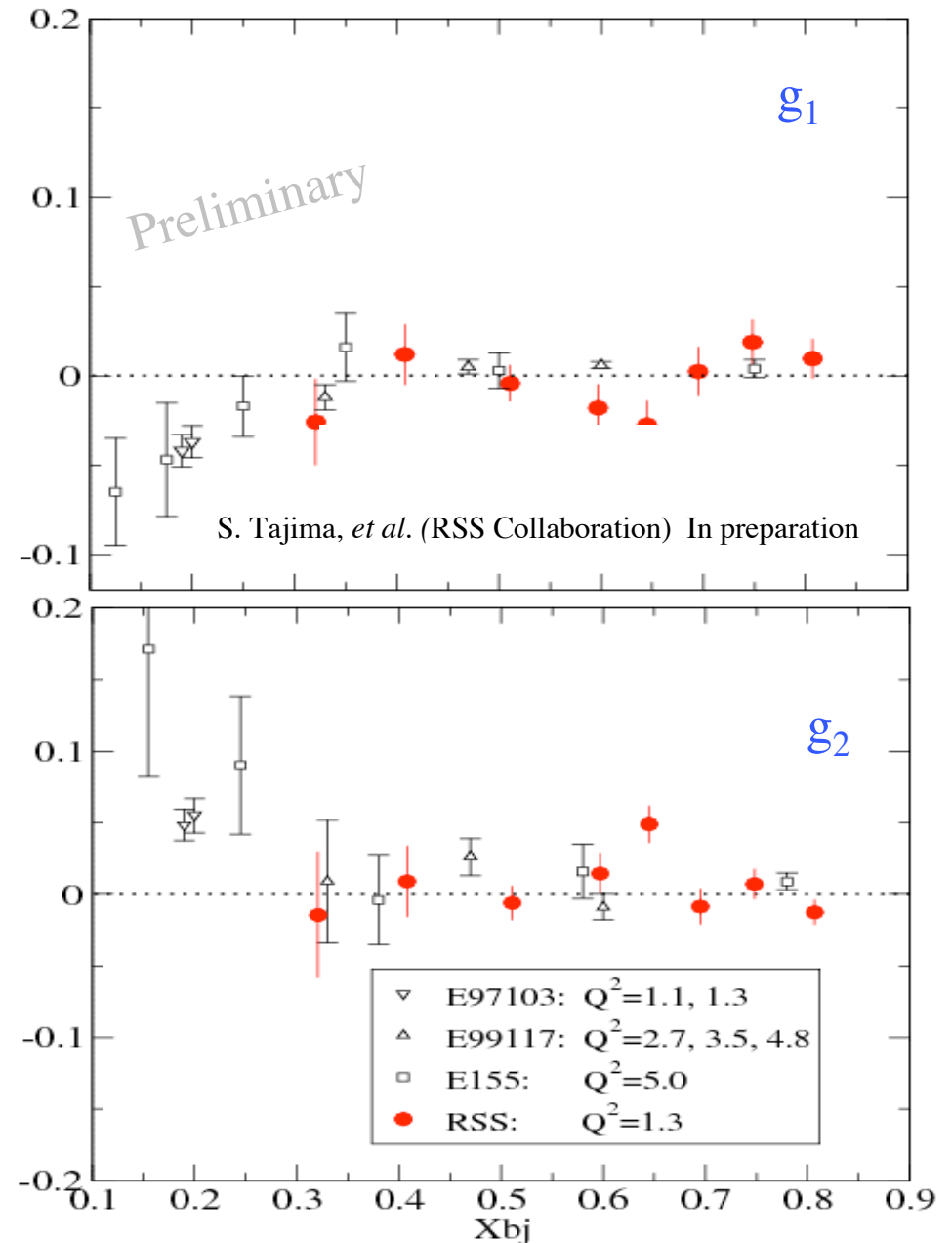
Bodek-Ritchie version of Atwood-West smearing

Generate smeared proton DS by convolution
Of G_1 G_2 with nucleon momentum dist
To get g_1^s, g_2^s

Subtract smeared proton from deuteron to get
smeared neutron quantities.

x-dependent D-state correction:

Melnitchouk, Piller, Thomas PLB 346, 165(1995)



Spin Asymmetries of the Nucleon Experiment

SANE

Oscar A. Rondon

UVA

Seonho Choi

Seoul U.

Zein-Eddine Meziani

Temple U.

Basel, F.I.U. , Hampton, IHEP Protvino, Kent State,
Norfolk, N.C A&T, Rensselaer Polytechnic,
St. Norbert, Temple, TJNAF, UVA,
William & Mary, Yerevan

Inclusive double polarization measurement:

Will Run in 2008

Large Solid Angle Electron Telescope : BETA

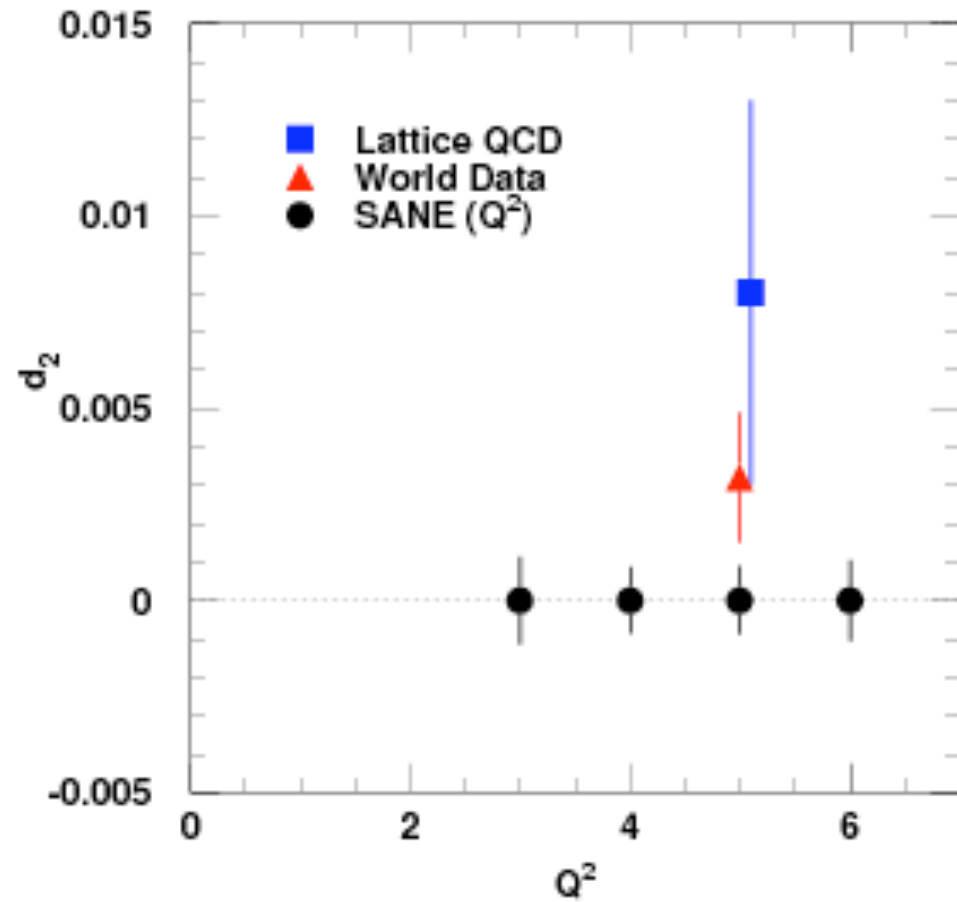
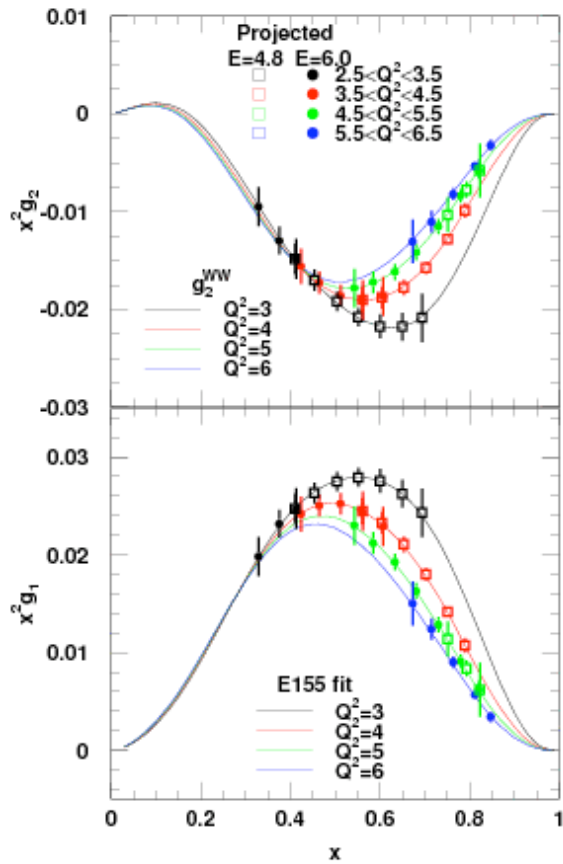
Explore high x region:

$2.5 < Q^2 < 6.5 \text{ GeV}^2$

Twist-3 effects from moments of g_1 and g_2

Comparison with LQCD, QCD Sum Rules, bag models, chiral quarks

SANE Projected



δ_{LT} Puzzle

Testing ChPT in the
Generalized Longitudinal-Transverse Spin Polarizability

Spokespersons

A. Camsonne, J.P. Chen

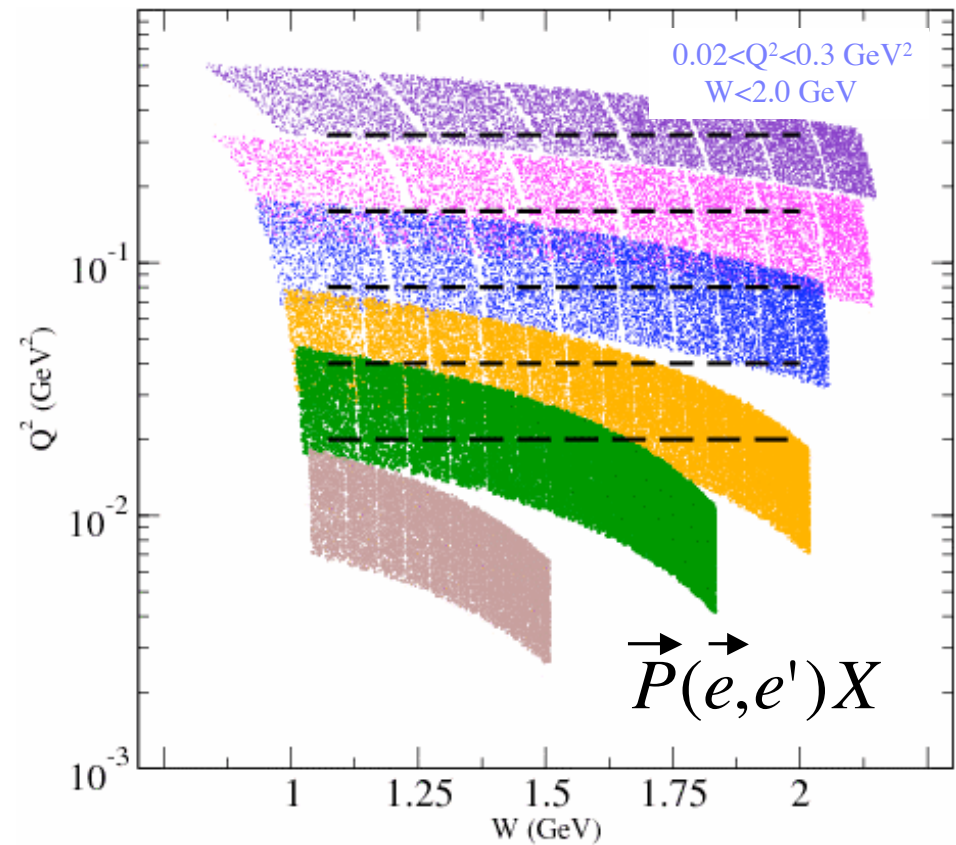
JLab

K. Slifer (contact)

UVA

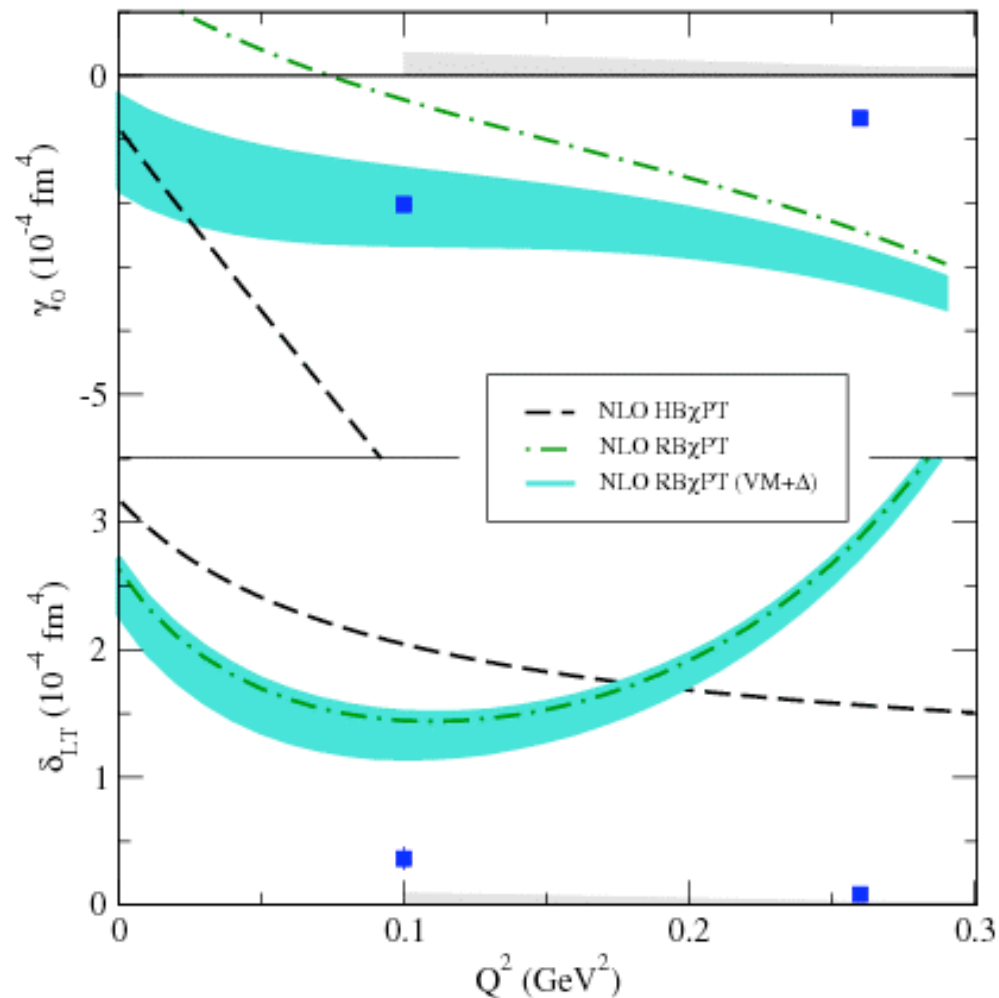
Measurement of g_2^P at low Q^2
--> LT Spin Polarizability

Conditional Approval by the PAC



The Issue

Neutron Spin Polarizabilities



$$\begin{aligned}\gamma_0(Q^2) &= \left(\frac{1}{2\pi^2}\right) \int_{\nu_0}^{\infty} \frac{K(\nu, Q^2)}{\nu} \frac{\sigma_{TT}(\nu, Q^2)}{\nu^3} d\nu \\ &= \frac{16\alpha M^2}{Q^6} \int_0^{x_0} x^2 \left[g_1(x, Q^2) - \frac{4M^2}{Q^2} x^2 g_2(x, Q^2) \right] dx.\end{aligned}$$

$$\begin{aligned}\delta_{LT}(Q^2) &= \left(\frac{1}{2\pi^2}\right) \int_{\nu_0}^{\infty} \frac{K(\nu, Q^2)}{\nu} \frac{\sigma_{LT}(\nu, Q^2)}{Q\nu^2} d\nu \\ &= \frac{16\alpha M^2}{Q^6} \int_0^{x_0} x^2 \left[g_1(x, Q^2) + g_2(x, Q^2) \right] dx.\end{aligned}$$

One issue of the chPT calcs is how to properly include the Delta resonance contribution.

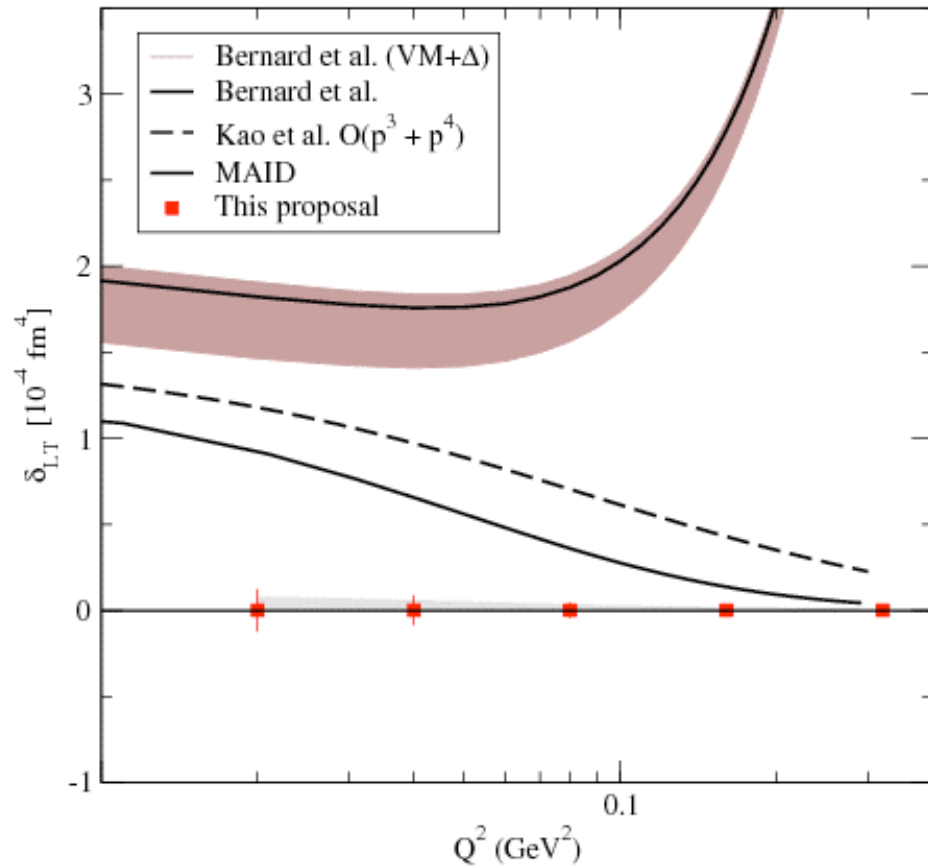
Expected that δ_{LT} would be good place to test chPT...

Instead find good agreement with γ_0

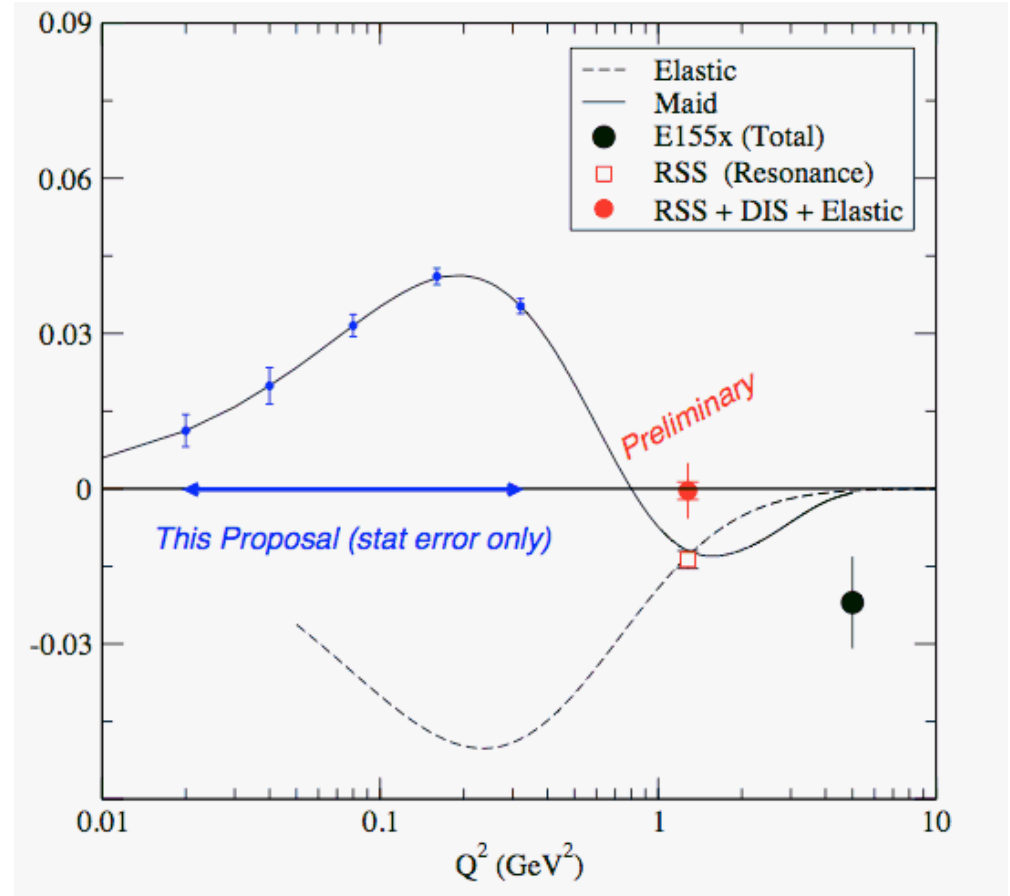
We need the isospin dependence to resolve this discrepancy

Expected Precision

δ_{LT}



B.C Sum Rule



Conclusion

Small sample of the JLab Spin Physics Program

- >Tests of chPT at low Q^2
- >Onset of Spin Duality
- > Q^2 dependent Sum Rules

Not an exhaustive review. Much more data!

Extensive program planned for the 12 GeV upgrade



Target Mass Corrections

Purely kinematic effects from finite value of $4M^2x^2/Q^2$

$$g_1(x, Q^2) = g_1(x, Q^2, M = 0)$$

From PQCD

$$+ \frac{M}{Q^2} g_1^{(1)TMC}(x, Q^2)$$

Purely kinematical

$$+ \frac{h(x, Q^2)}{Q^2} + \mathcal{O}(1/Q^4)$$

Higher twist